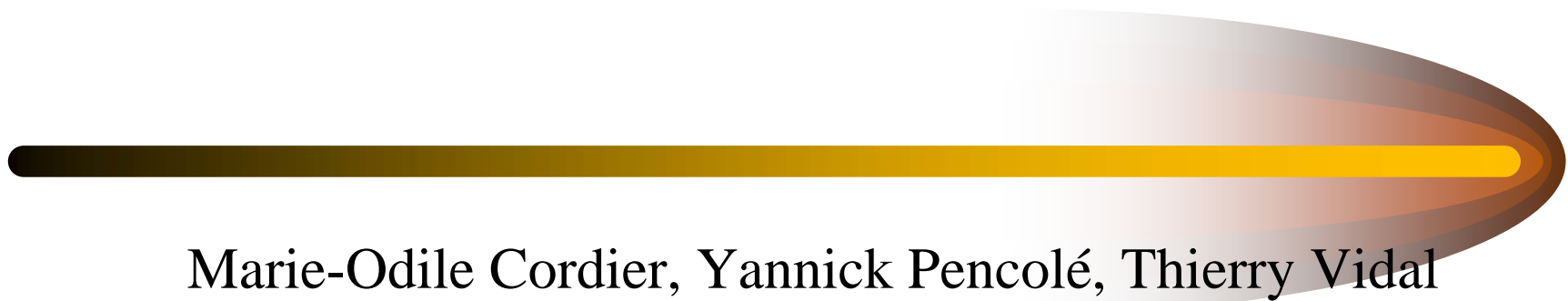


# *"Diagnostic, diagnosticabilité et réparabilité"*



Marie-Odile Cordier, Yannick Pencolé, Thierry Vidal  
+ Louise Travé-Massuyès

IAF'08

- Partie 1 : Introduction au diagnostic des systèmes à événements discrets
- Partie 2 : Diagnosticabilité des SED
- Partie 3 : Approche décentralisée / distribuée des SED
- Partie 4 : Diagnostic et réparation

# *Context : Model-based diagnosis*

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## **From static systems to dynamic systems ...**

- Diagnosing static systems :
  - Foundational work by Reiter, de Kleer (1989)
    - Consistency-based approach : conflicts, hitting set algorithm, ATMS, GDE
  - Important contributions of the DX community :
    - Logical formalization
    - Efficient algorithms
    - Abductive approach : causal graph, explicative diagnosis

- Monitoring dynamic systems :
  - Introduction of the temporal dimension :
    - Temporal causal graphs
    - QSIM (Kuipers et al.)
  - Bridge with the control theory community around DES
    - DES : Sampath et al (94) : “....”

# *Diagnosis models for dynamical systems*

---

- Predictive models (or behavioral models) : able to simulate the system behavior
- Explicative models : describing the (causal/influence) links between the system behavior (faults) and the observation (symptoms) :
  - Temporal causal graphs / influence graphs
- Associative models : from symptoms to faults
  - Expert systems, production rules + time (G2, Chronos ...)
  - Chronicle recognition

# *Predictive models*

---

- Models / continuous systems
  - Continuous variables (values / continuous time)
    - Differential equations
    - ✓ Numerical models : Control theory
    - ✓ Qualitative models (or semi-quantitative models) : QSIM, Mimic

- Models / discrete-event systems
  - Discrete variables + discrete time

- Hybrid systems :
  - System modes described by differential equations + discrete change of modes

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# *Discrete-event systems*

# *Time-driven vs Event-driven*

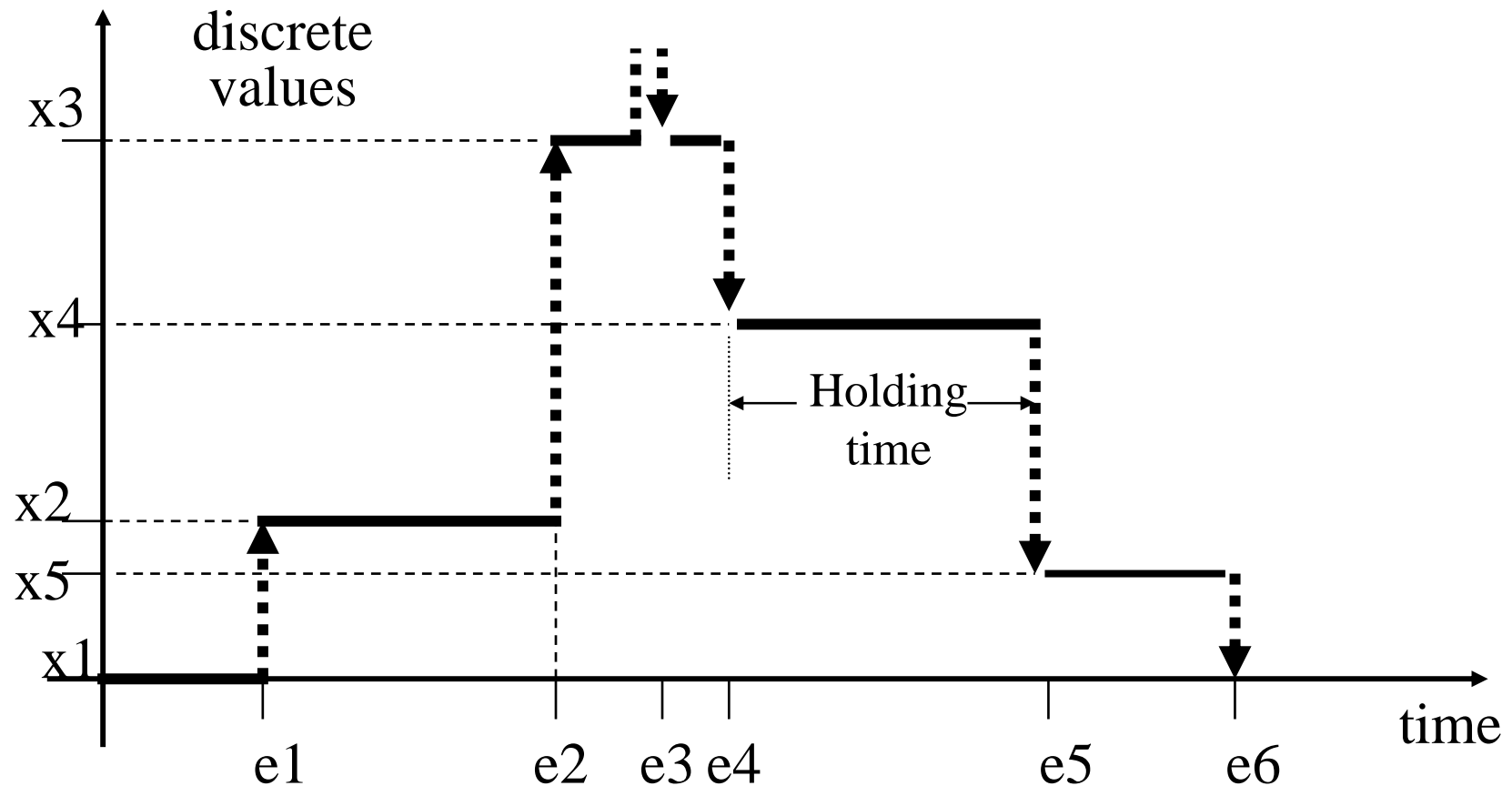
---

- Time-driven dynamics (change of state)
  - The system state is considered at each clock tick
  - « time-driven » model
  - Clock Synchronisation
- Event-driven dynamics
  - The occurrence of an event triggers the change of system state
  - « event-driven » model
  - Asynchronous (except for shared events)

# *Discrete-event system (DES)*

---

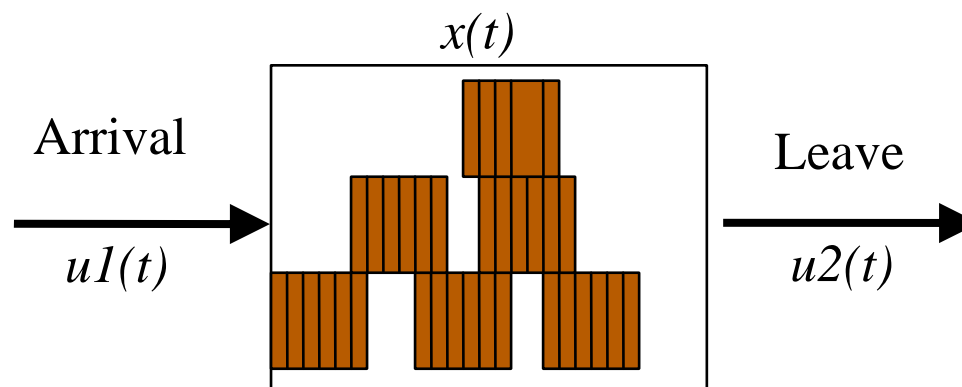
DES : event-driven system (« reactive ») + discrete variables



# Discrete system (by nature)

---

- **Warehouse**



- $x(t)$  number of boxes in the warehouse at  $t$
- $u1(t) = 1$  if a box arrives at time  $t$ , else 0
- $u2(t) = 1$  if a box leaves at time  $t$ , else 0
- At a given time  $t$ , either  $u1(t)$  or  $u2(t)$

- **Telecommunication networks** : exchange of messages



# *System discretization*

---

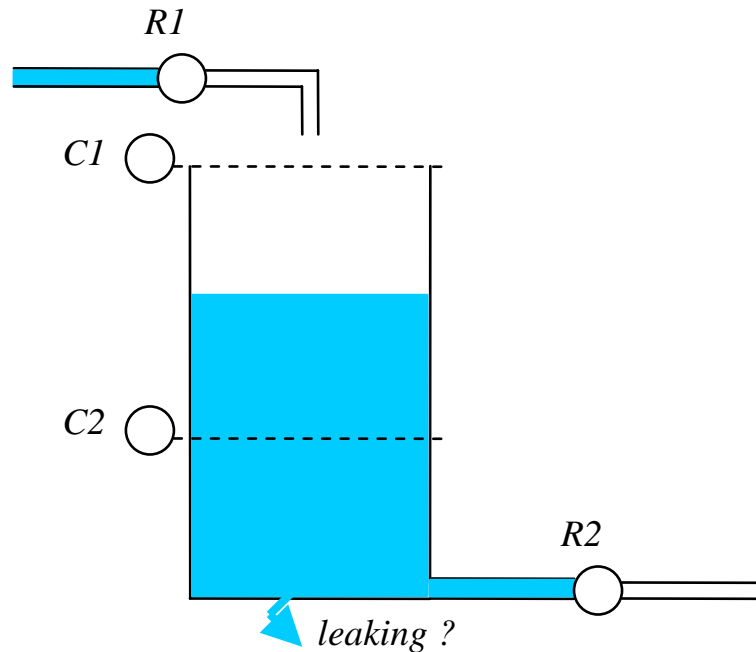
- Continuous system but discrete model
  - the model type is chosen according to the task
  - « Quantization »

Example :

- container

# System discretization

- Container



$R1 : \{open, closed\}$

$R2 : \{open, closed\}$

$C1 : \{below/above\ maximal\ level?\}$

$C2 : \{below/above\ minimal\ level?\}$

Discrete state space :

$R1 \times R2 \times C1 \times C2$

Examples of events :

*opening de R1*

*closing de R2*

*The water level is below C2*

*The container is flowing !!*

- Fault detection :

- $R1=closed, R2=closed, C2= below\ the\ minimal\ level$

- *Alarming event : « the container level is below C2 »*

---

# *Discrete-event systems / models*

# *Formalisms for DES*

---

- A DES can be represented as a language
  - Language
    - alphabet : set of events  $E$
    - word : sequence of events
  - Behavior of a DES
    - Set of words built on  $E$
    - They represent the set of possible behaviors of the system
    - « prefix-closed » language
- Formalisms
  - Algebra
    - Process algebra
  - Transition systems
    - automata, Petri nets

# *Automata (finite state machine)*

---

- Tool suited to represent a language
- Definition :  $G = (X, E, f, x_0, X_m)$ 
  - $X$  : set of states
  - $E$  : set of events (alphabet)
  - $f$  : transition function  $X \times E \rightarrow 2^X$
  - $x_0$  : initial state
  - $X_m$  : set of final states

« *prefix-closed* » language: all the states of the automaton are final

« *liveness* » : always at least one transition going out from any state

# *Building the model from the components*

---

- System : a set of components
  - Component models (local model)
    - Library of component models
  - Compose the local models to get the system model (global model)
  - Use of **composition operation** on the component models
- For automata, two basic operations:
  - [Product of automata]
  - Parallel/Synchronous composition

# *Parallel (synchronous) composition of automata*

---

- $G = G1 \parallel G2$
- $G = Acc(X1 \times X2, E1 \cup E2, f, (x_{01}, x_{02}), X_{m1} \times X_{m2})$

*avec*

$$f((x1, x2), e) = (f1(x1, e), f2(x2, e)) \text{ si } e \in \Gamma1(x1) \cap \Gamma2(x2)$$

$$f((x1, x2), e) = (f1(x1, e), x2) \text{ si } e \in \Gamma1(x1) \setminus E2$$

$$f((x1, x2), e) = (x1, f2(x2, e)) \text{ si } e \in \Gamma2(x2) \setminus E1$$

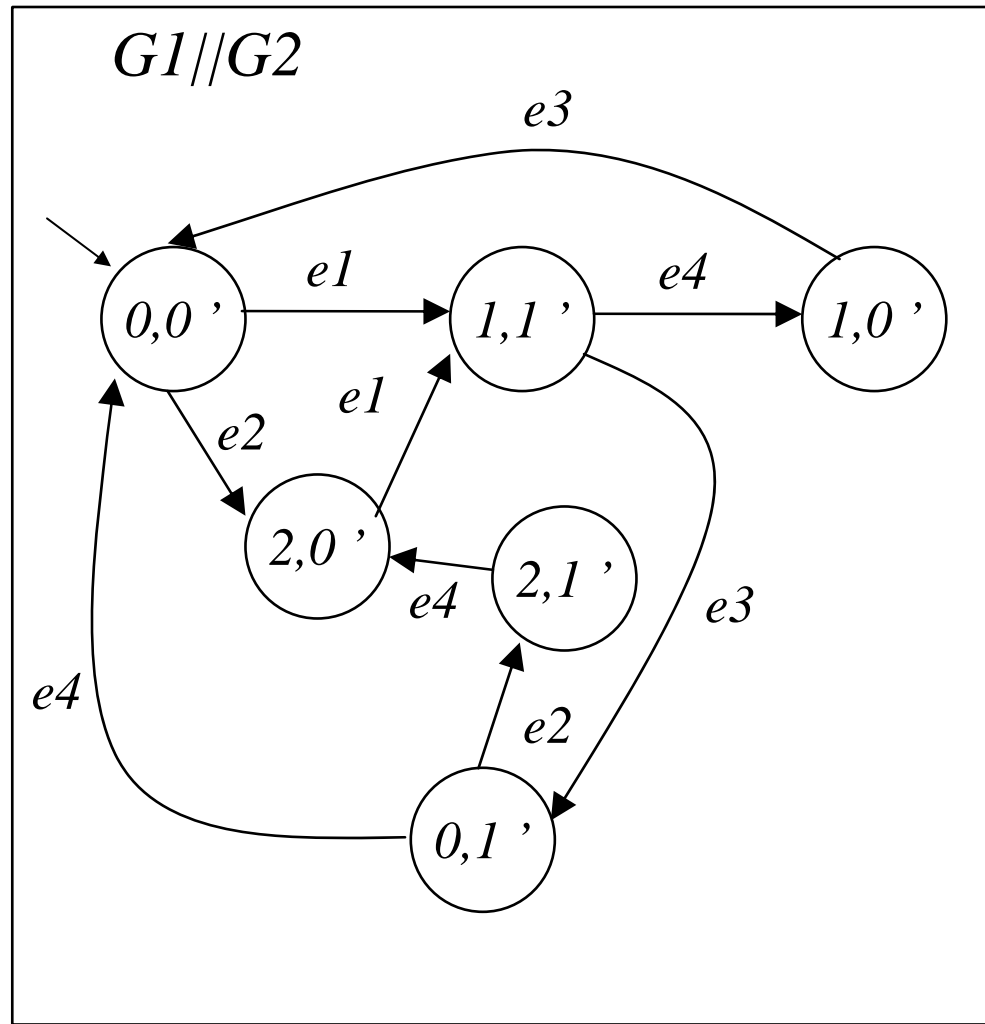
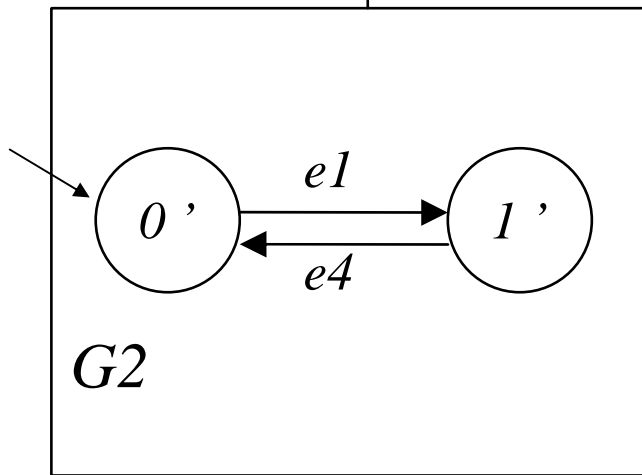
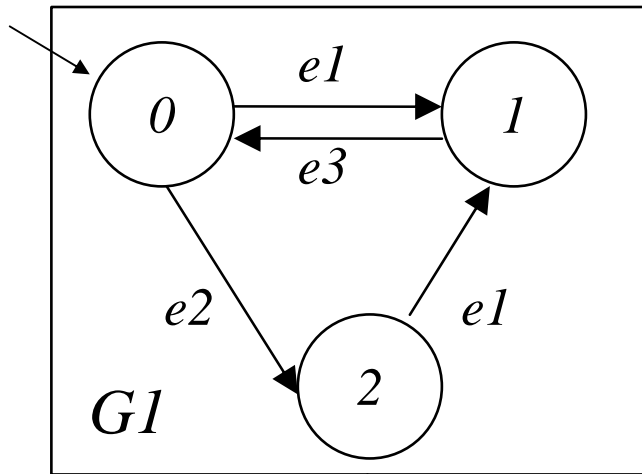
*else undefined*

- Trim operation (or accessibility function) : discard the unreachable states
- When no shared events, synchronisation = cartesian product

**The model of two interacting components is built  
by synchronous composition on shared events**

# Example

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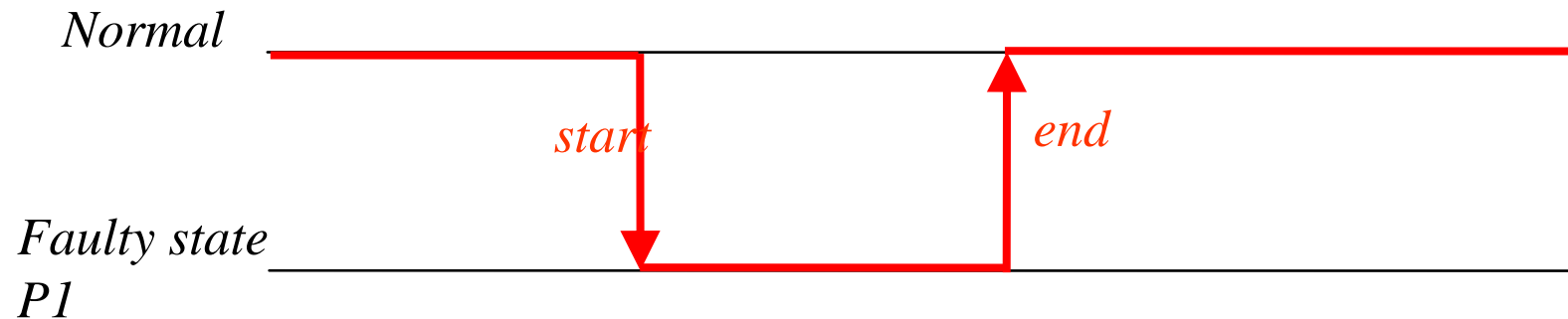
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# *Diagnosis of discrete-event systems*

# *Discrete-event systems diagnosis*

---

- Faults:
  - Unobservable events
    - Occurrence of the fault (beginning of the fault)
    - End of the fault (intermittent faults)



# *DES Diagnosis*

---

- Observations :
  - *Observable events*
    - Get through system sensors
    - alarms, notifications, commands...
- Diagnosis :
  - Sequence of events « explaining » what is observed
    - traces, trajectories, histories ...
    - sequences or sets of faults « explaining » the observations



# *(DES) Diagnosis problem*

- Given a DES model (including fault models)
- Given observations OBS
  - ✓ Sequence / Flow of observed events :
    - time-stamped observations
  - Which events can explain what is observed ?
    - Fault events + partial/total order

**Diagnosis  $\Delta(O) = \text{global model} \parallel_{\text{obs}} \text{OBS}$   
synchronization on observable events obs**

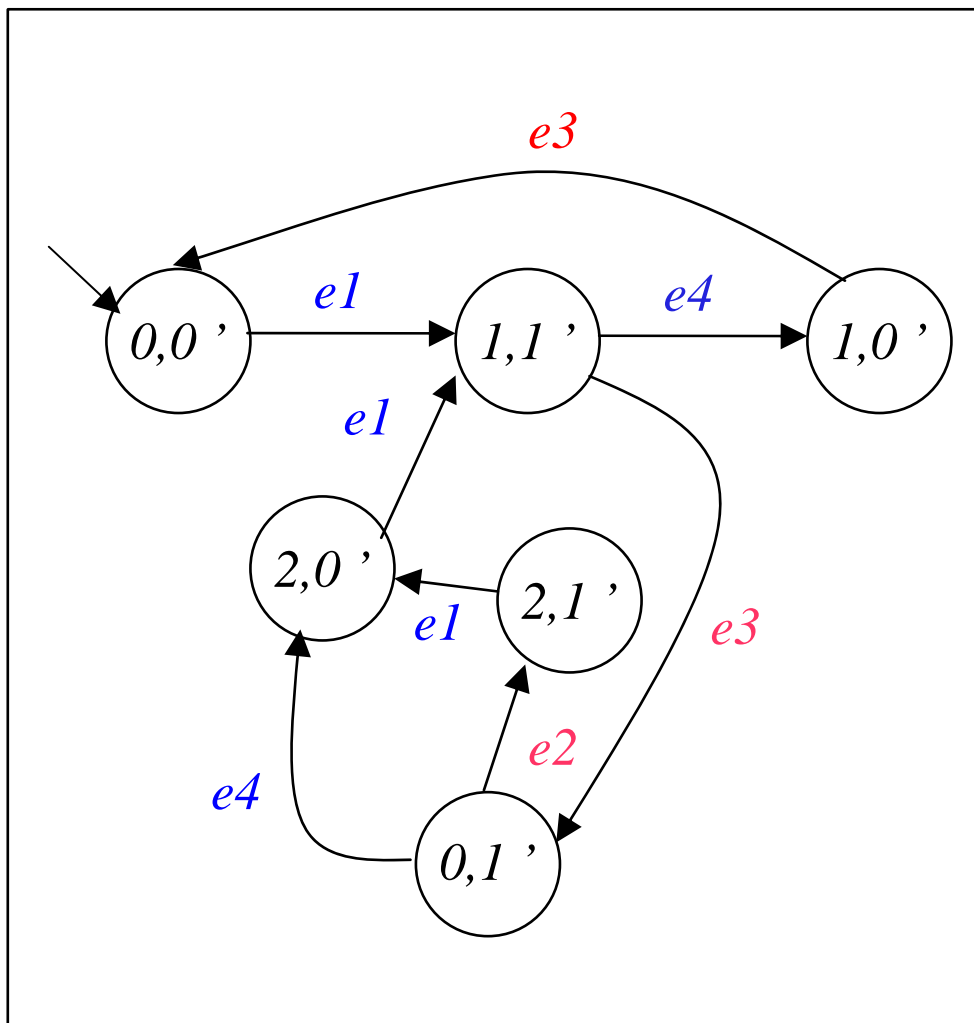
# *On-line vs off-line diagnosis*

---

- Off-line diagnosis
  - All the observations are known from the beginning
  - No real-time constraints
- On-line diagnosis
  - The observations are acquired along time (incrementally acquired)
    - monitoring, surveillance
  - The diagnosis may change (improve) along time when new observation arrive
  - Real-time constraints

# Example

---



Faults events :

$e2, e3$

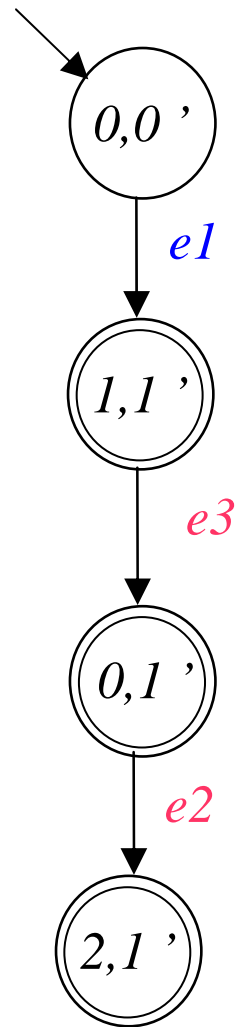
Observable events :

$e1, e4$

What is the diagnosis  
if the initial state is (0,0')  
and we observe  
 $e1$  followed by  $e4$  ?

## After observing $e1$

---

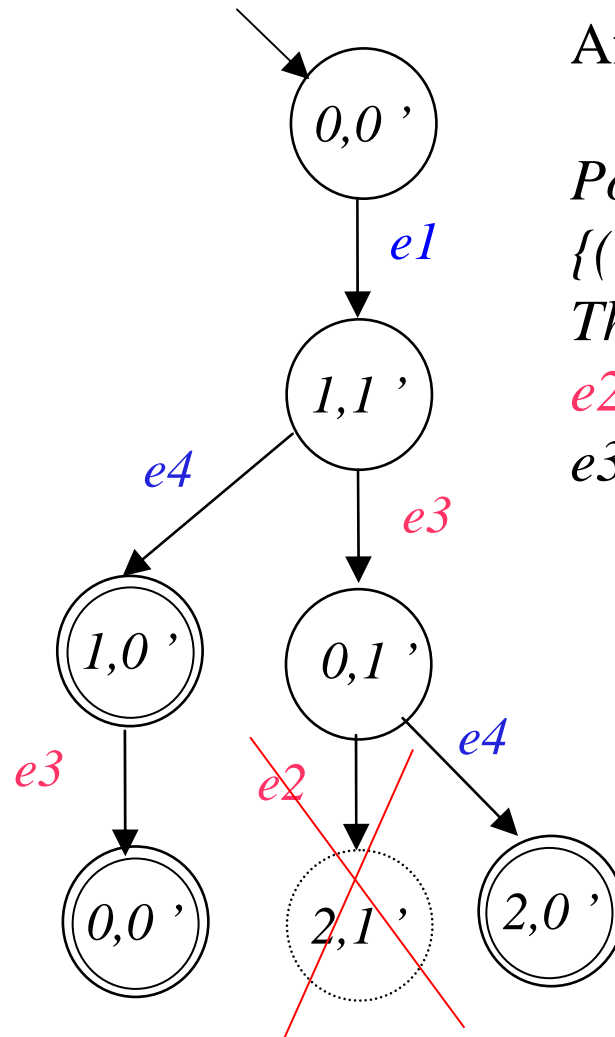


After observing  $e1$  :

1) The system can be in one of the 3 states :  
 $\{(1,1'), (0,1'), (2,1')\}$

2)  $e2$  and  $e3$  may have occurred.

## After observing $e1$ followed by $e4$



After observing  $e1$  and then  $e4$  :

*Possible system states :*

$\{(1,0'), (0,0'), (2,0')\}$

*The system may be normal.*

*$e2$  did not occur.*

*$e3$  may have occurred.*



# *Example : air-conditioned system*

---



Variable  
Air-Volume  
Controller



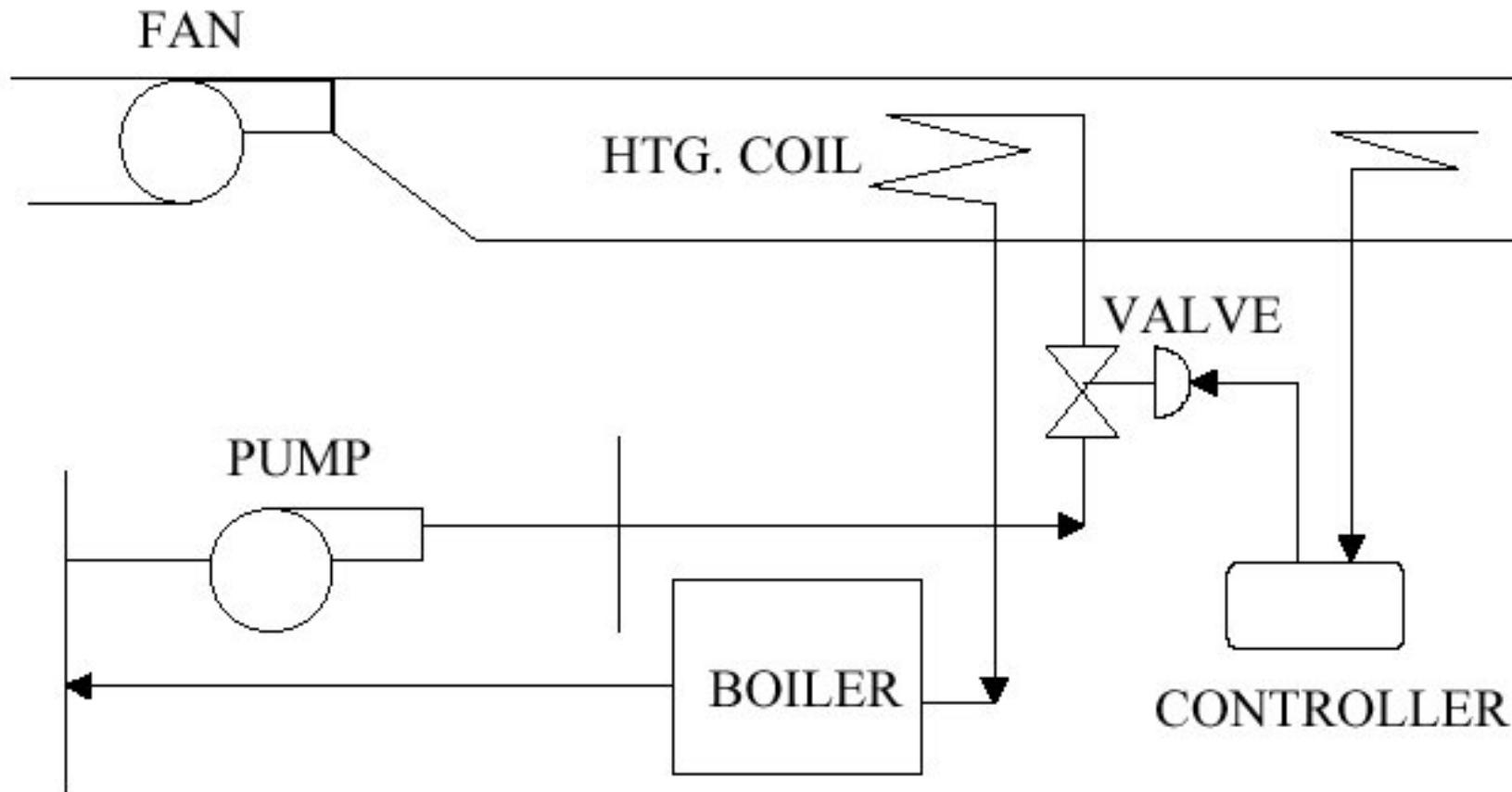
Stéphane Lafortune

*Dept of EECS, Detroit*

Meera Sampath

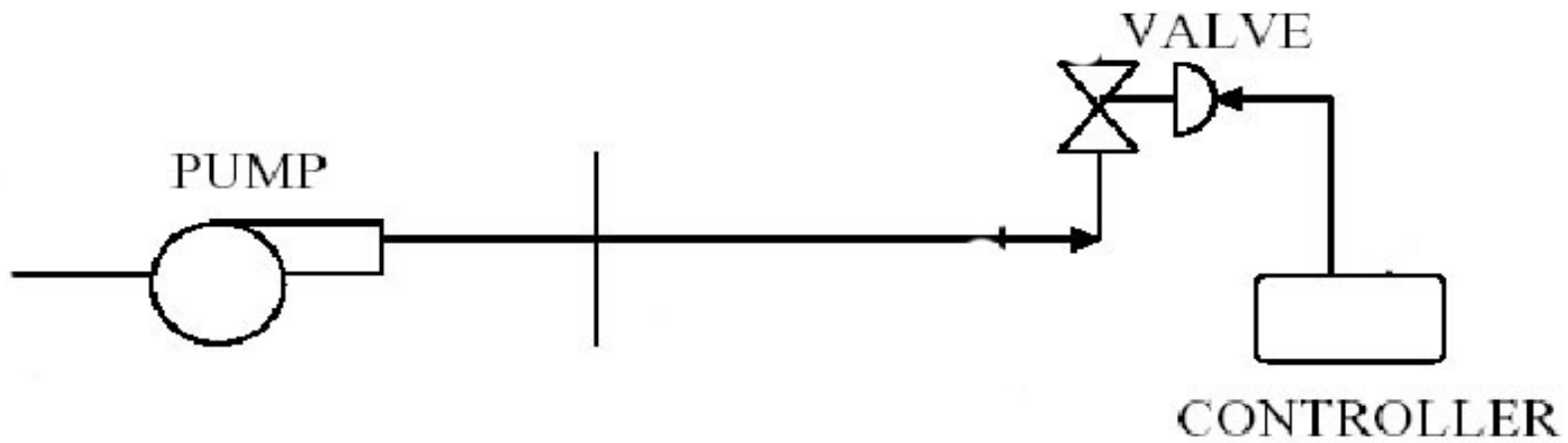
*Wilson Center for Research & Technology*

# HVAC system

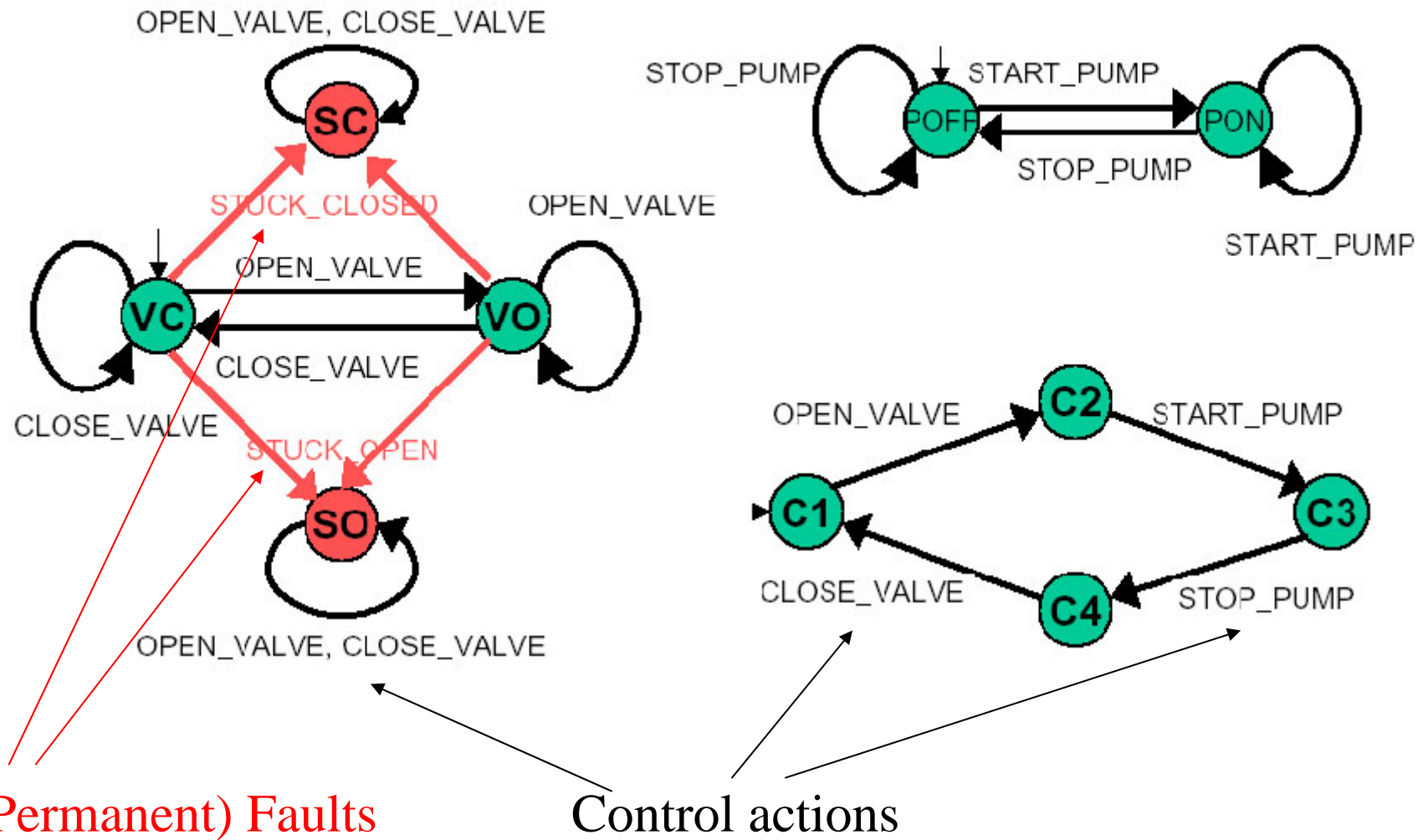


# *A subpart of the system*

---



# *Behavioral models of the components*

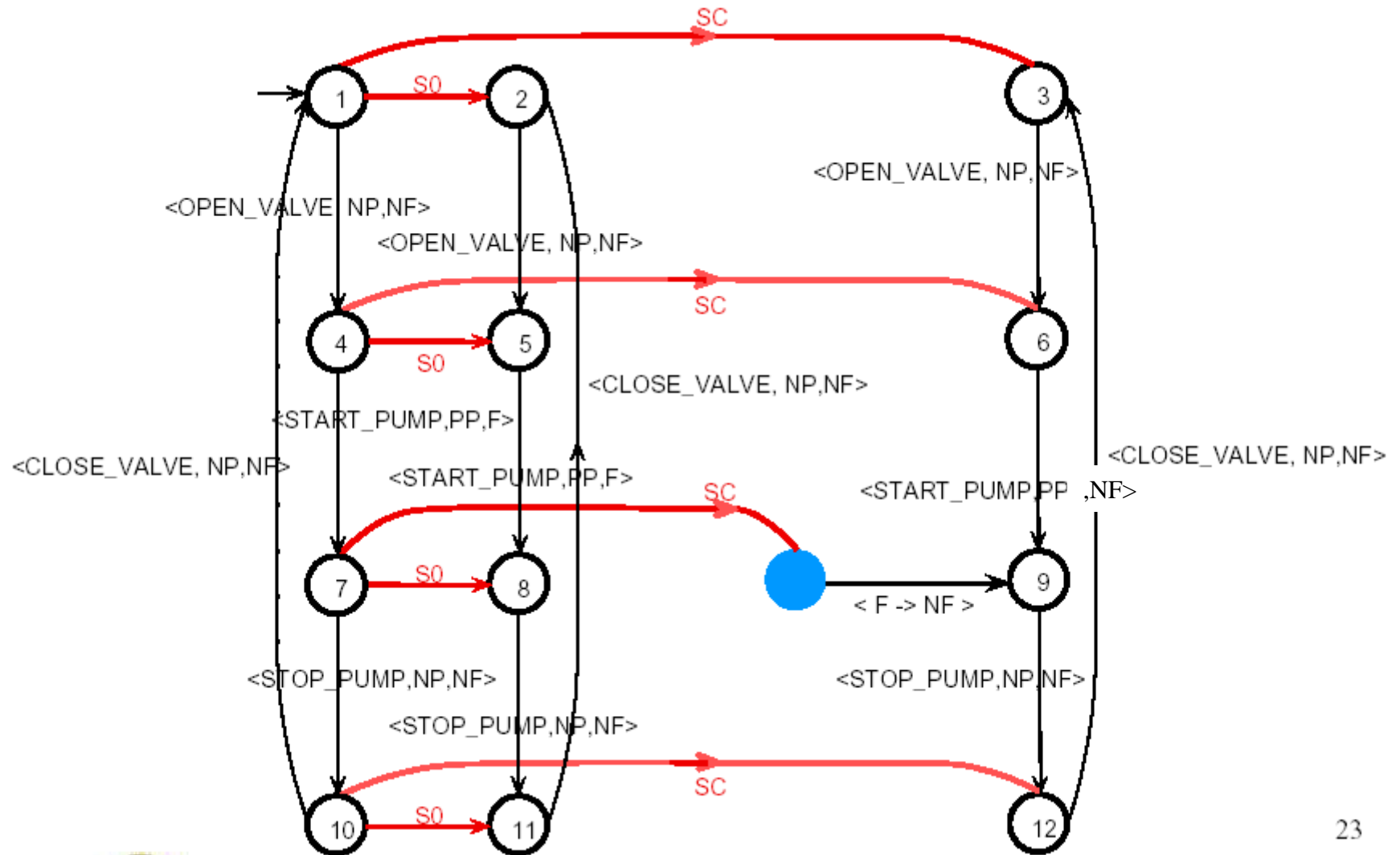


# *System sensors*

---

- Pressure sensor
  - PP : « Pump Pressure »
  - NP : « No Pressure »
- Air flow sensor
  - F : « Flow »
  - NF : « No Flow »
- Observables : sensor values + control actions

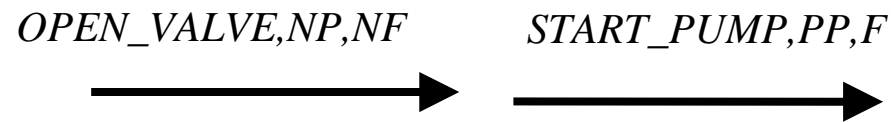
# Global model (got by synchronization operation)



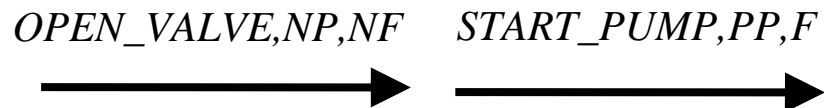
# Diagnosis – see automata

---

Let  $O$  be a sequence of observable events:



$$\Delta(O) = (1,4,7)(1,4,5,8)(1,4,7,9)(1,4,7,8)(1,2,5,8)$$



# *The diagnoser approach*

---

- Simulation-based [Baroni et al.]
  - « unfold » the automaton according to observables
    - complex, adapted to off-line computation
- Diagnoser-based [Sampath et al.]
  - Diagnosis-oriented compilation
    - More efficient when on-line monitoring



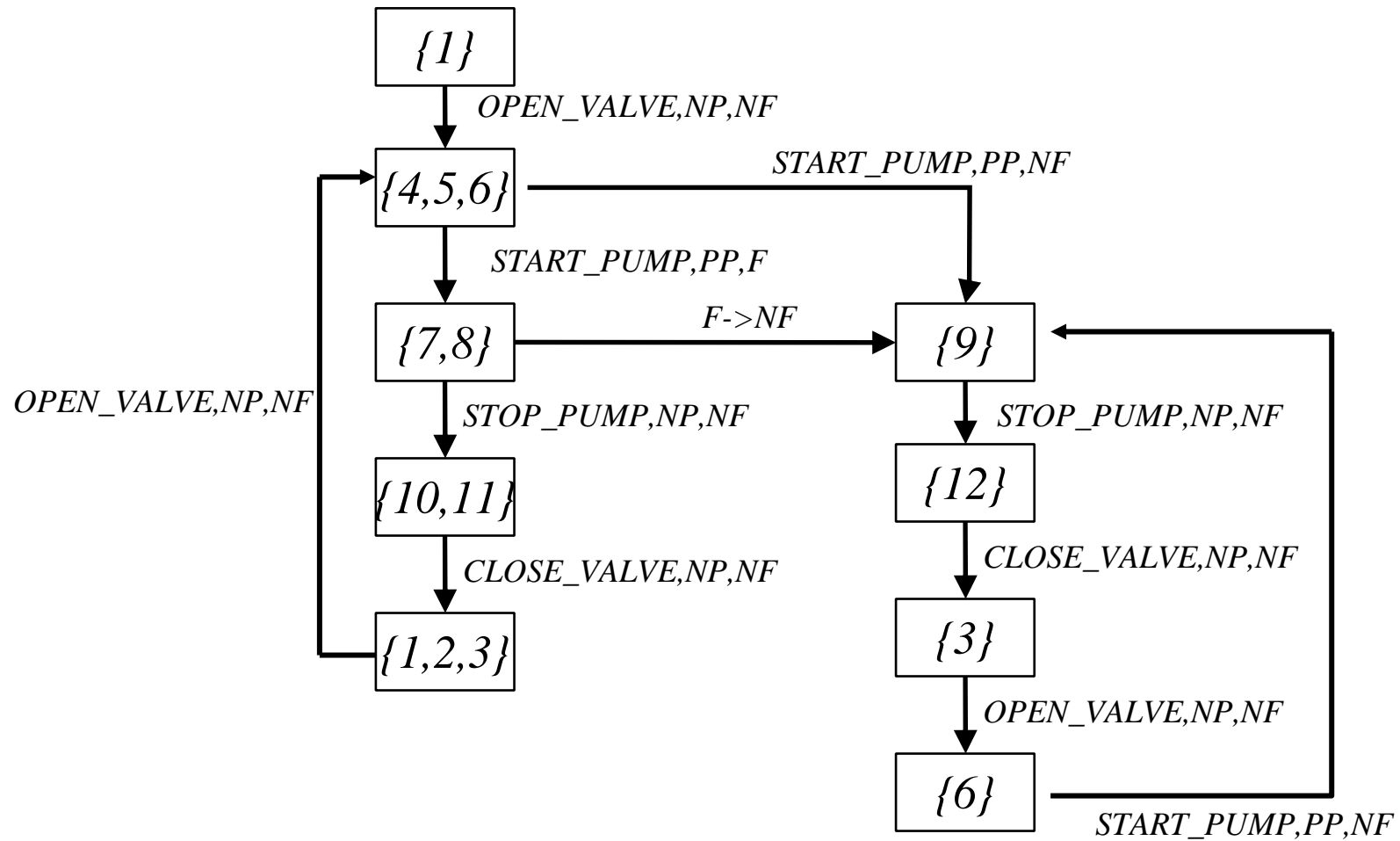
# *Observer*

---

- Observer automaton
  - Describes all the observable behaviors of a system. It is a deterministic automaton with observable transitions.
  - An observer state is a belief state describing the possible states of the system after having observed a set of events
  - Built from the system global model by  $\varepsilon$ -reduction ( $\varepsilon$  : unobservable event)

# Observer of HVAC

---



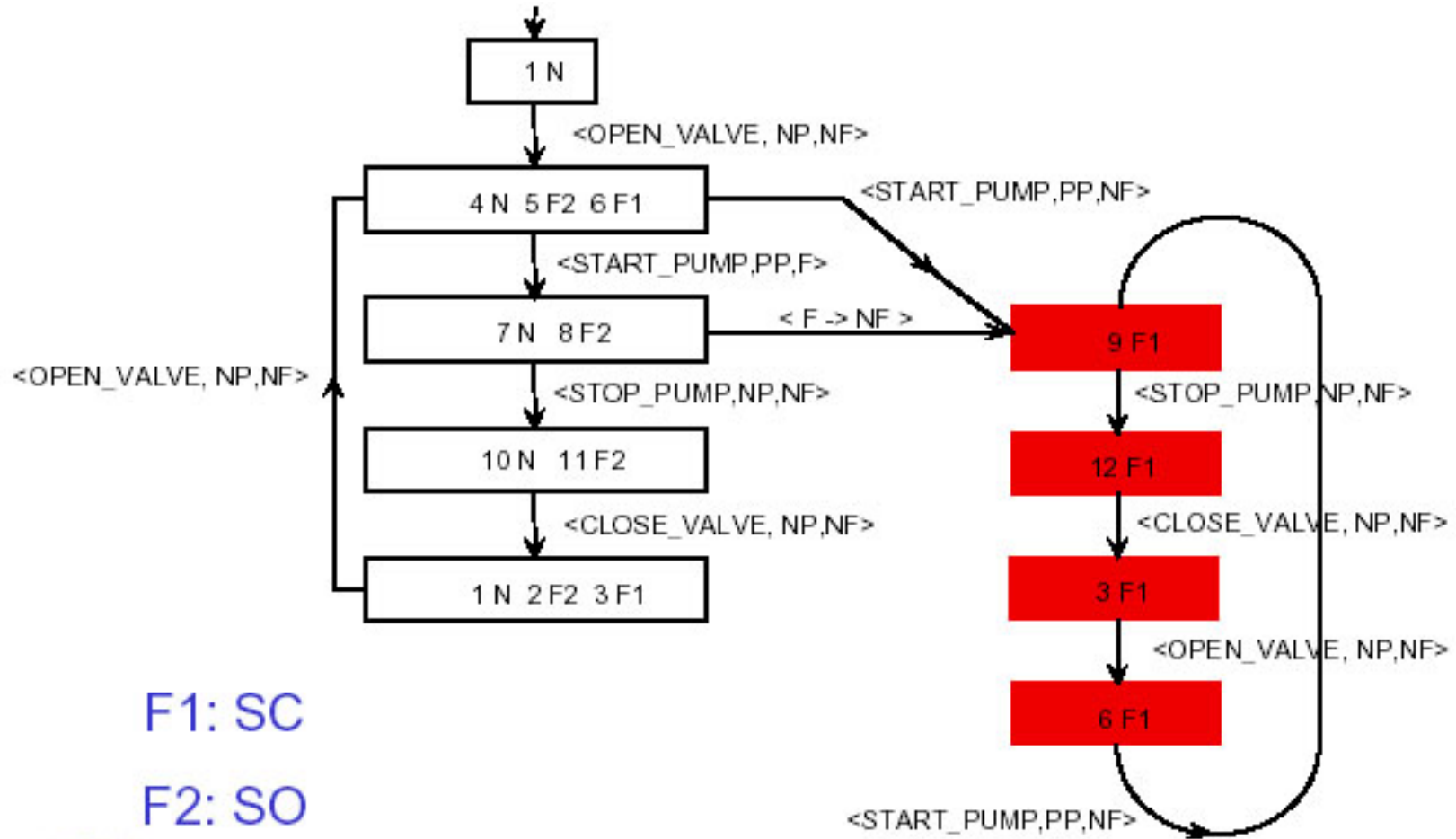
# *Diagnoser*

---

- **Observer** : to « track » the system thanks to observable events
  - Diagnosis information :
    - The possible states of the system
    - No information on past fault events
- **Diagnoser** [Sampath et al.] :
  - observer + labels
  - The set of occurred fault events are stored in the labels

# Diagnoser of HVAC

---

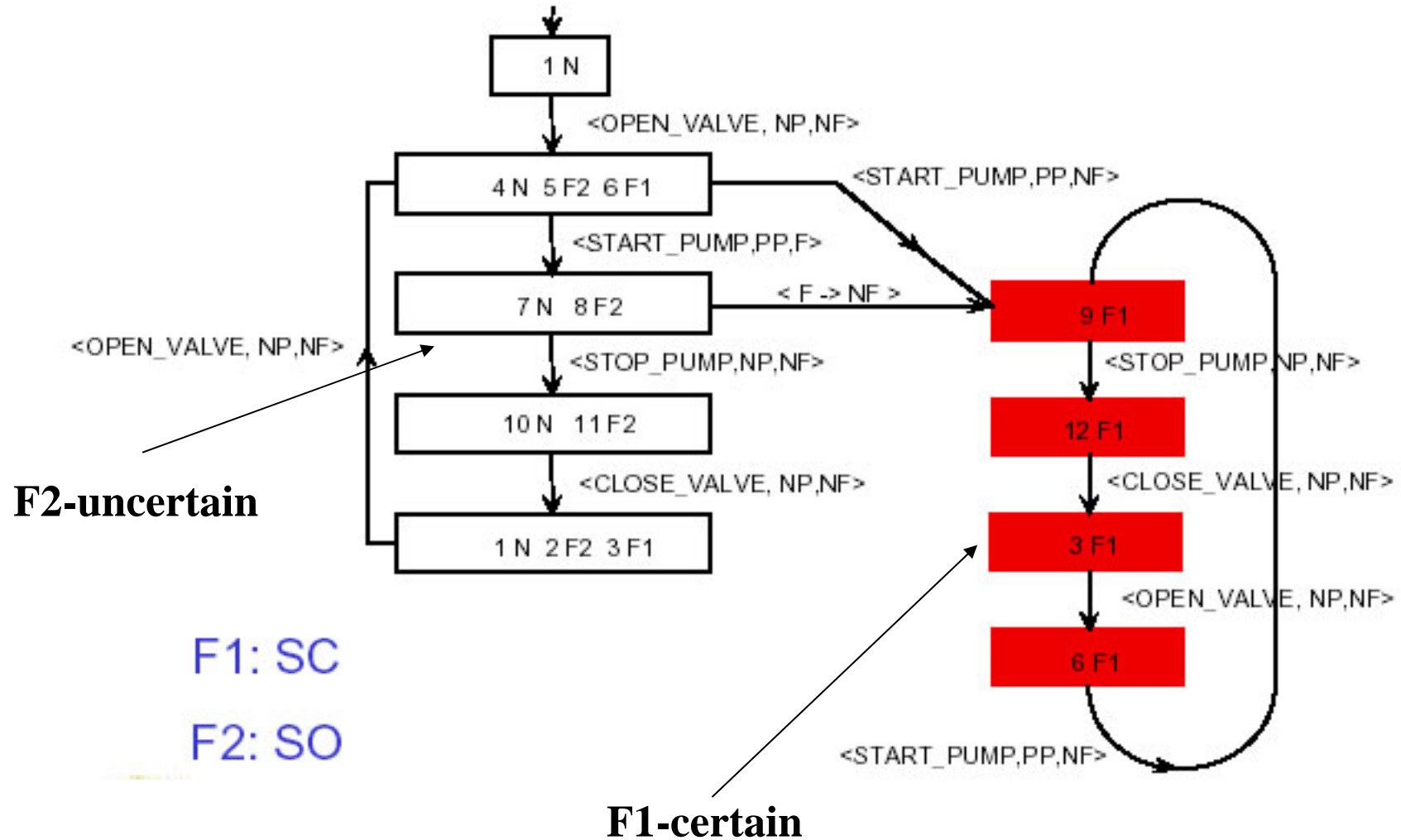


# Diagnoser

---

- Diagnoser states :
  - Set of diagnosis candidates as set of pairs (state, label)
    - Label : fault event on the path arriving in the state, N (normal) when no fault
  - The belief state is said to be :
    - Normal : all the candidates are labeled as N
    - $F_i$ -certain :  $F_i$  is in the label of all the candidates
    - $F_i$ -uncertain : else

# Diagnoser of HVAC



# Diagnosis algorithm

---

- Given what is observed, what are the current diagnosis candidates ?
  - Algorithm:
    - Track the system using the diagnoser according to arriving observation
    - The belief state gives the current diagnosis candidates

# Diagnosis algorithm

---

- Given what is observed, did the fault  $f$  occur?
  - Algorithm :
    - Track the system using the diagnoser according to arriving observation
    - The belief state gives the current diagnosis candidates

- Is the algorithm bounded?
  - In case of fault, is it sure that the diagnoser will diagnose the fault in a bounded delay after the occurrence of the fault?

**DIAGNOSABILITY!**



# *A first conclusion*

---

- Use of a behavioral model (automata + other formalisms)
  - Normal and faulty behaviors for detection and diagnosis
  - Adding temporal constraints ?
  - Size of the global model? Decentralized/distributed approaches
- Observations
  - Ordered set of observations
  - But what if delays between emission/reception? What if clocks are not synchronized? Take into account partial ordered observations
  - What if uncertain observations? Observations represented as automata
- Diagnoses : trajectories, defined by  $SD \oplus OBS$
- Algorithms :
  - Unfolding of the automaton and search for the consistent paths
  - Strategy based on preference criteria (probabilities?)
  - Efficiency : Compilation of the automaton into a labelled observer (diagnoser)
  - Compact representation of trajectories? Partial order reduction, BDD, Model-checking tools?
  - Termination? Diagnosability?



# Diagnosability of Discrete-Event Systems

Marie-Odile Cordier / IAF'08



# *Diagnosability*

# *Diagnosability*

---

- **Diagnosability:**
  - Given the system sensors (and the observable events), decide which faults can be diagnosed for sure and in a bounded delay
- **Goals of the diagnosability analysis**
  - At the diagnosis time :
    - Be sure to get the diagnosis in a bounded delay after the occurrence of the fault
    - Or being aware of undiagnosable faults, trigger adapted repair actions, without waiting too long
  - At the design time :
    - Improve the observability of the system (what to observe, where locate the sensors) to get a diagnosable system?
    - Or, being aware of undiagnosable faults, look for adapted repair actions dealing with these uncertain cases to get a self-healable system

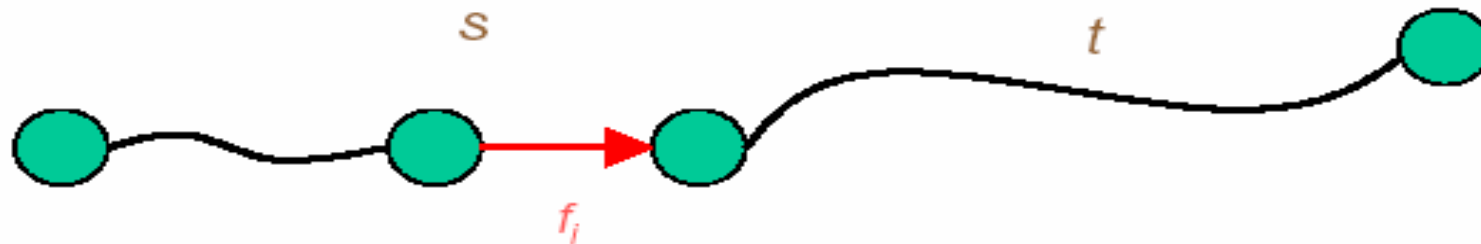
# *Definition by Sampath et al.*

## *Unformally ...*

---

- Partition  $\Pi f$  of fault events into fault types:
  - Each fault event belongs to one fault type
- Sequence  $O$  of observations
- A DES is *diagnosable* iff any occurrence of a fault type of  $\Pi f$  can be diagnosed for sure, in bounded time after its occurrence, from the observations  $O$

# Diagnosability



- Path  $s$  ending by a fault event  $f_i$
- Path  $t$  continuing  $s$
- Each path « looking similar to »  $s.t$  contains a fault event  $f_i$ 
  - « looking similar to » = having the same observable behavior (same observable projection)

# *Formal definition*

---

- A prefix-closed and live language  $L$  is diagnosable wrt a projection  $P$  and a partition  $\Pi_f$  on events  $E_f$  iff :

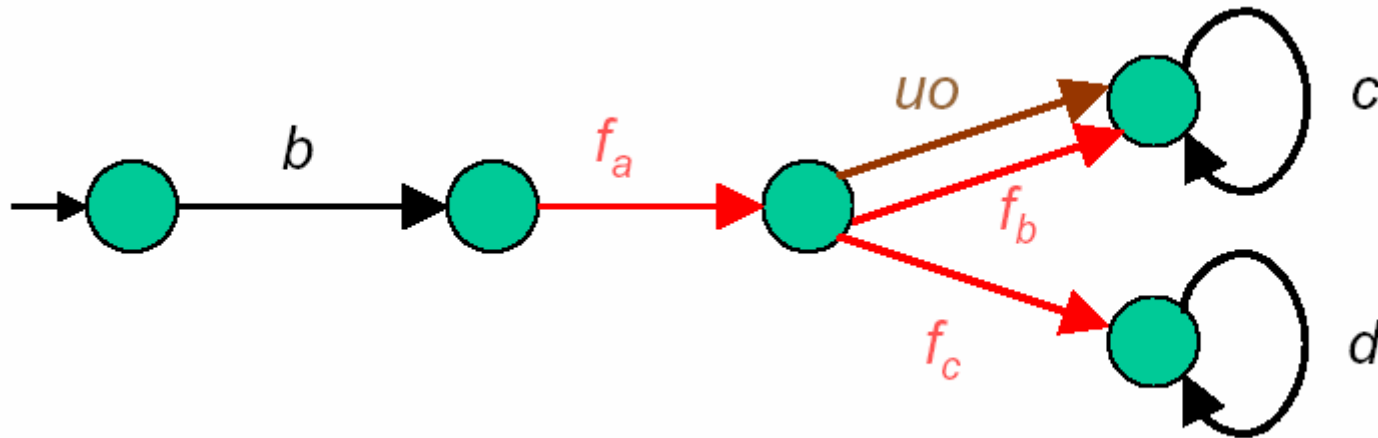
$$\begin{aligned} & ( \forall i \in \Pi_f ) ( \exists n_i \in \mathbb{N} ) ( \forall s \in \Psi(E_{fi}) ) \\ & ( \forall t \in L/s ) \quad [ \| t \| \geq n_i \Rightarrow D ] \end{aligned}$$

- $D$  : *diagnosability condition*

$$\omega \in P_L^{-1} [P(st)] \Rightarrow E_{fi} \in \omega .$$

# Example

---



b,c,d : observables events

u<sub>o</sub> : unobservable events

f<sub>a</sub>, f<sub>b</sub>, f<sub>c</sub> : fault events (unobservables)

If  $\Pi f = \{ \{f_a\}, \{f_b\}, \{f_c\} \}$  then the system is not diagnosable

If  $\Pi f = \{ \{f_a, f_b\}, \{f_c\} \}$  then the system is diagnosable



# Diagnosability degree

---

- A system is diagnosable for a partition of faults  $\Pi f$

can be rewritten as

- The degree of diagnosability of a system is the « finest » partition(s) for which it is diagnosable
  - The worse case is when the partition gathers all the faults : the system is detectable (at best)
- See our work on self-healability (definition of a diagnosability degree ... removing the partition condition)

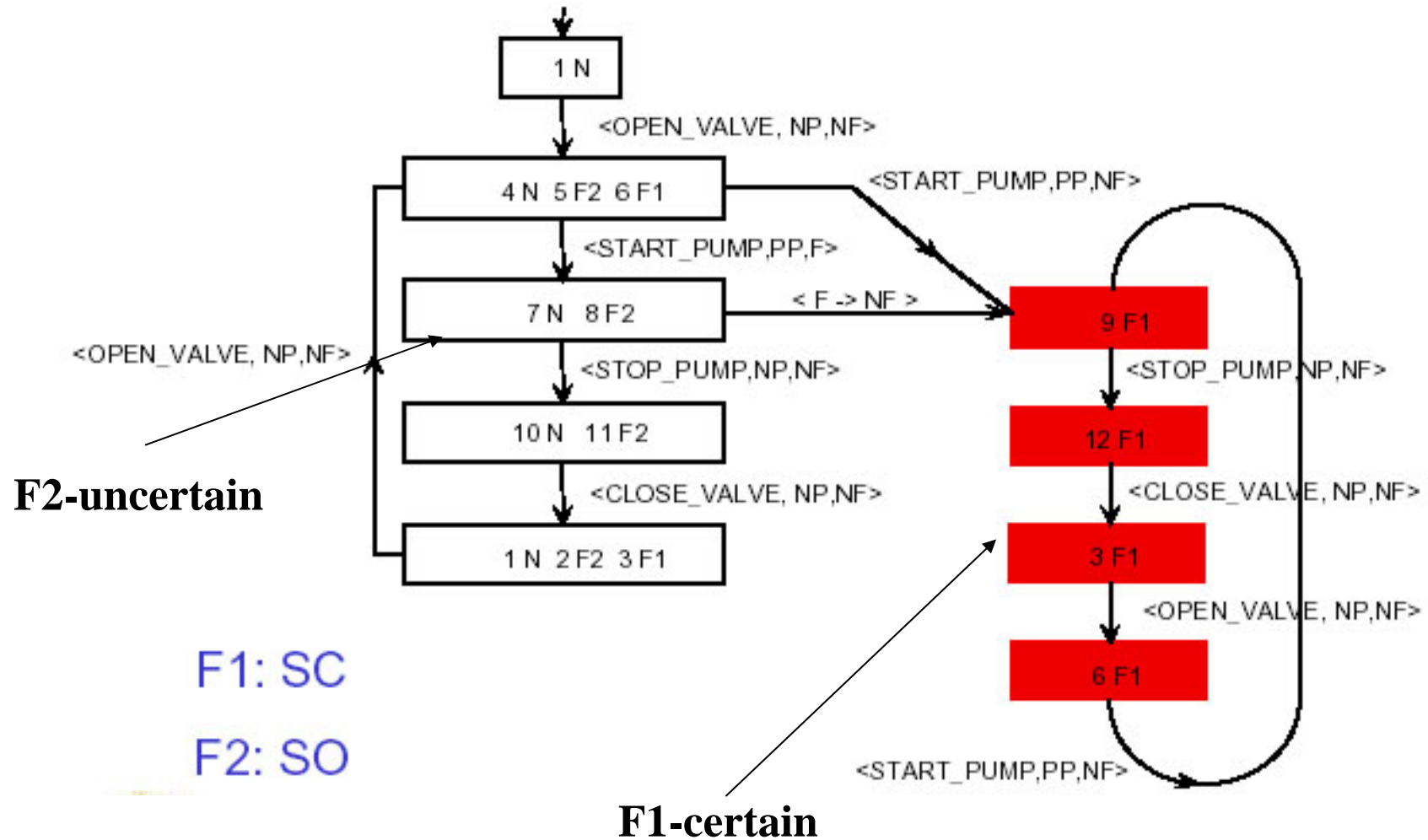
# *Diagnosability and diagnoser*

---

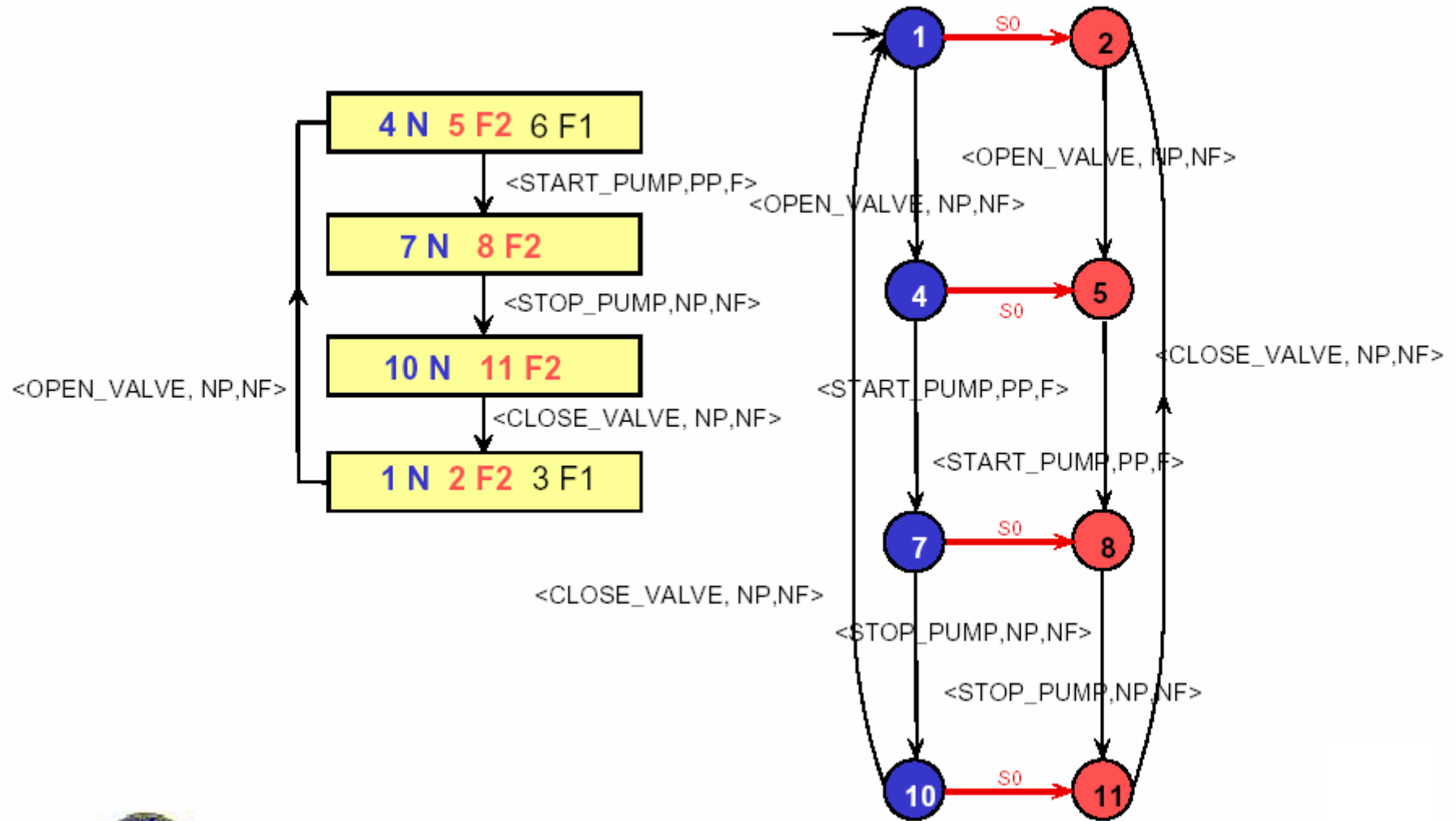
- Formal result (by Sampath et al. 95) :
  - A DES is diagnosable iff the diagnoser does not contain any uncertain cycles
  - where an uncertain cycle is :
    - A cycle of Fi-uncertain states in the diagnoser
    - +
    - The states of this Fi-uncertain cycle must correspond to a (observable) cycle in the system model

# Example: Diagnoser of HVAC

---

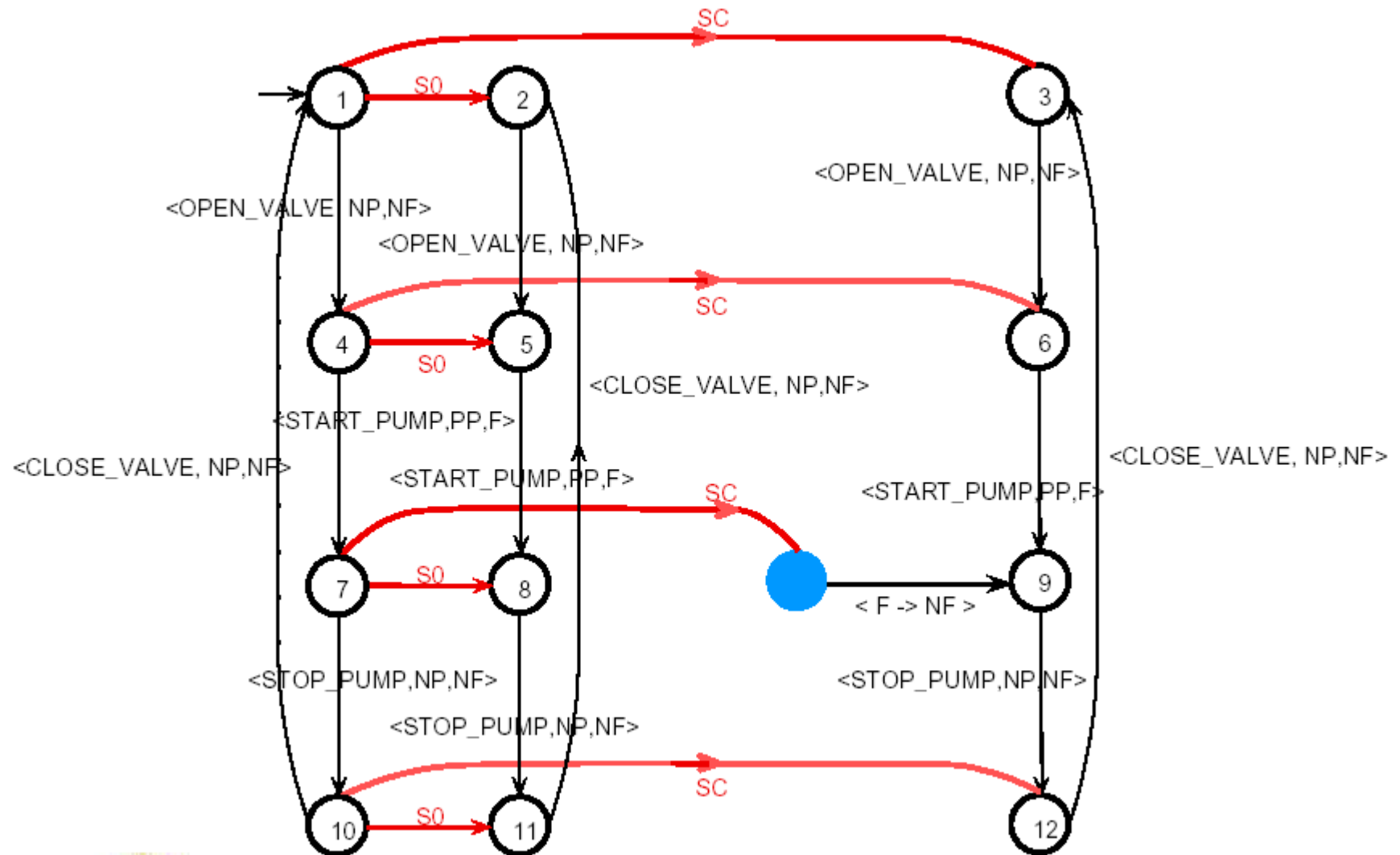


# Example



# Global model (got by synchronization operation)

---



state ...

but the system is diagnosable

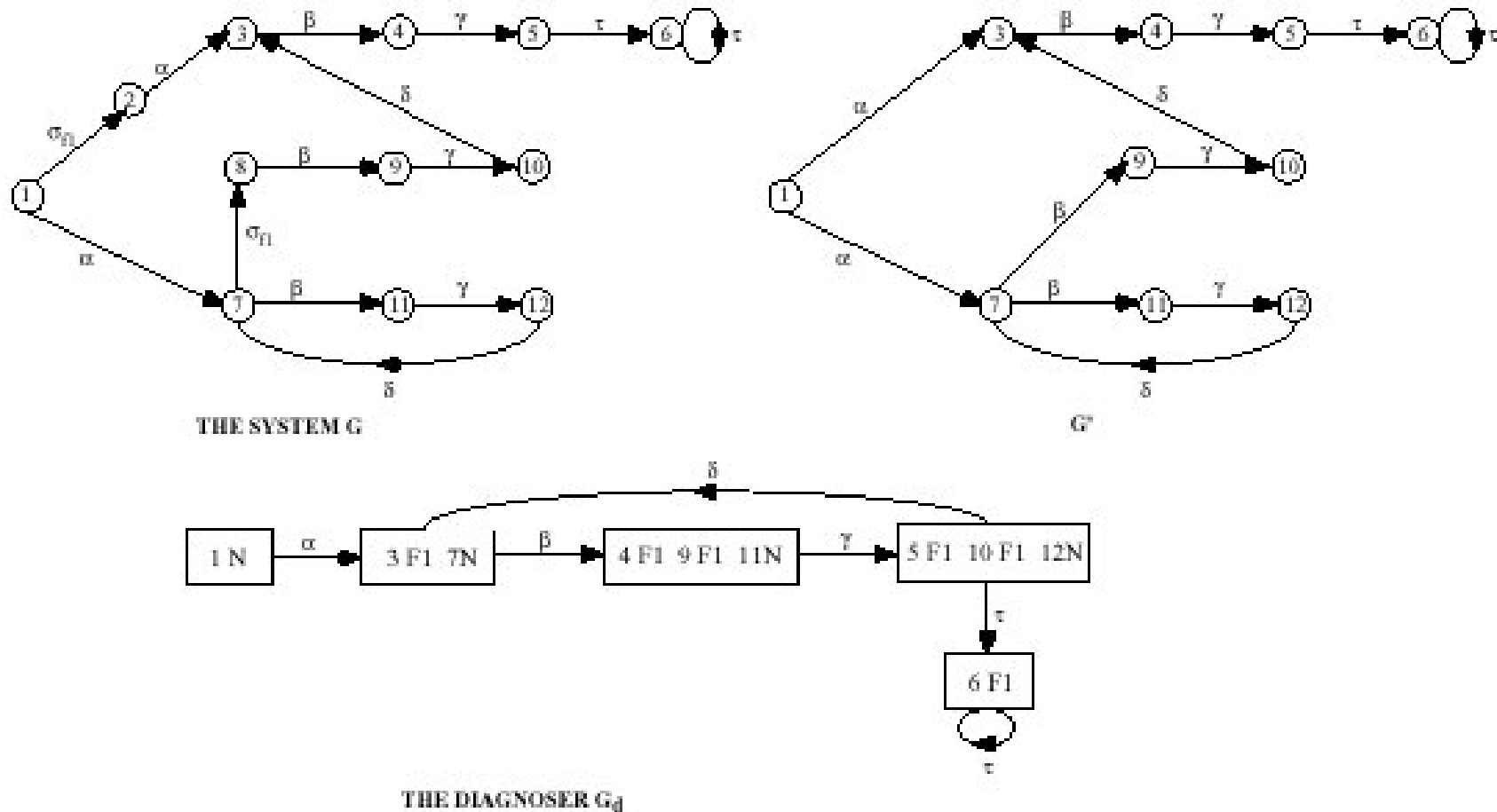


Figure 3.7: Example of a system with a cycle of  $F_1$ -uncertain states in its diagnoser  $G_d$

uncertain state ... the system  
~~is NOT diagnosable~~

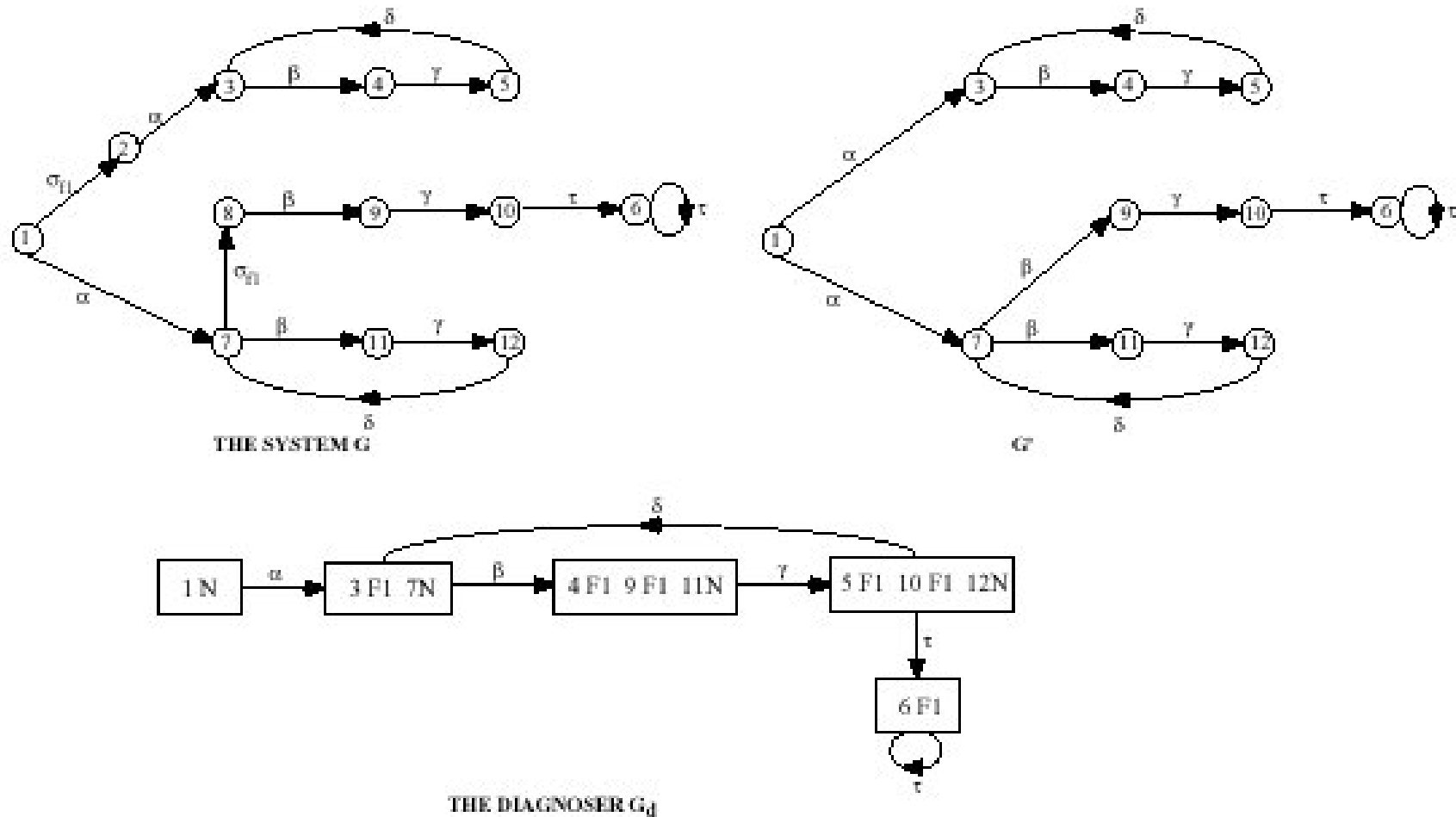


Figure 3.6: Example of a system with an  $F_1$ -indeterminate cycle in its diagnoser  $G_d$

# analysis using self composition (Jiang et al. 2001)

---

- Self-product:
  - Build a undeterministic observer  $G_o$  after having labelled each state  $x$  of the system automaton  $G$  by the set of fault events  $\{F_i\}$  that are on the path arriving on  $x$
  - **Compose two copies of  $G_o$**
  - Check that the resulting automaton  $G_d$  does not contain any cycles of (belief) states labelled by states with different labels. If no such cycles, the system is diagnosable, else it is not.



# Example

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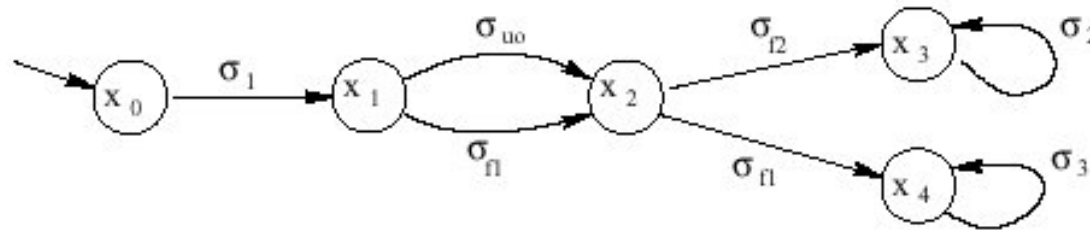


Figure 1: Diagram of the system  $G$

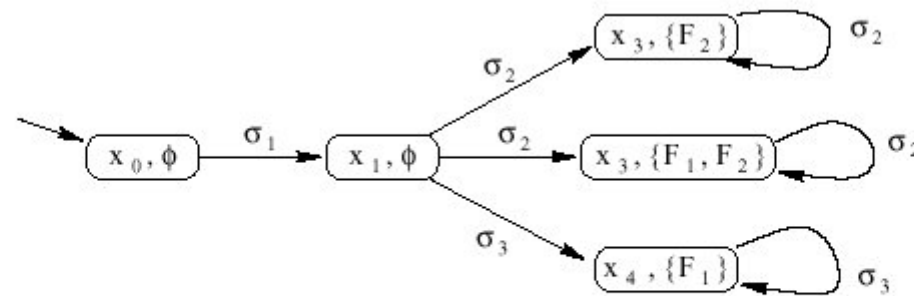


Figure 2: Diagram of  $G_o$

# Example

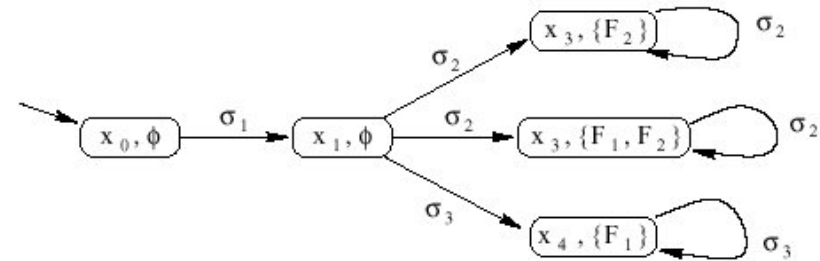


Figure 2: Diagram of  $G_o$

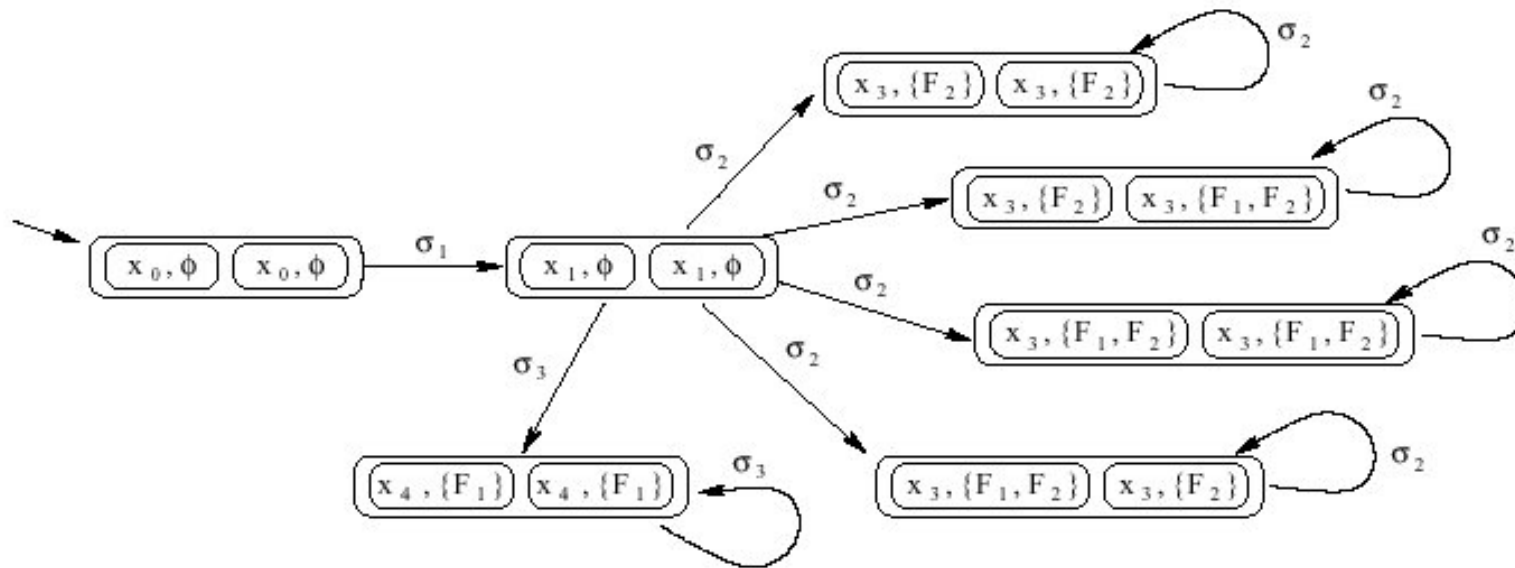


Figure 3: Diagram of  $G_d$

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*Diagnosis / diagnosability  
extended to pattern supervision*

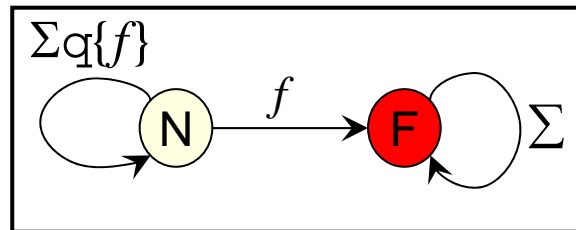
*(T. Jeron, H. Marchand, S. Pinchinat, M.-O. Cordier)*

# Supervision patterns for the diagnosis (Jeron et al, Wodes'06)

□ A system to be supervised/diagnosed is given by

➤ A prefix-closed model of the system :  $G = (Q, \Sigma, q_0, Q, \delta)$  avec  $\Sigma = \Sigma_o \wedge \Sigma_{uo}$

➤ A Supervision Pattern : *reachability property*



, modeled by an LTS  $\Omega = (Q_\Omega, \Sigma, q_{0_\Omega}, Q_P, \delta_\Omega)$

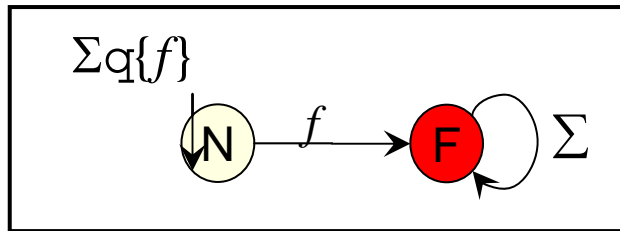
✓ deterministic, complete

✓ with a set of final states  $Q_P$ ,  $Q_P \gg Q_\Omega$  which is stable

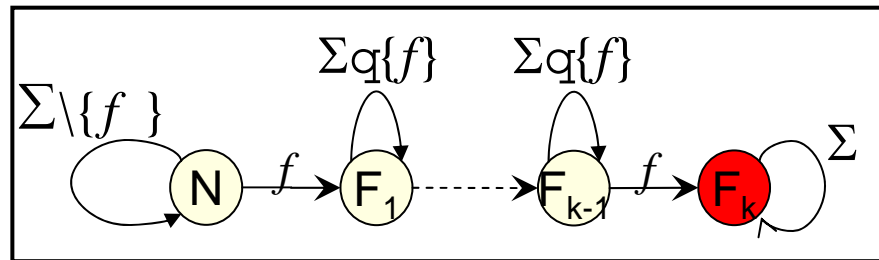
$$L(\Omega, Q_P) = L_{Q_P}(\Omega)$$

□ Sequences under supervision :  $s \in L(G) \_ L_{Q_P}(\Omega)$

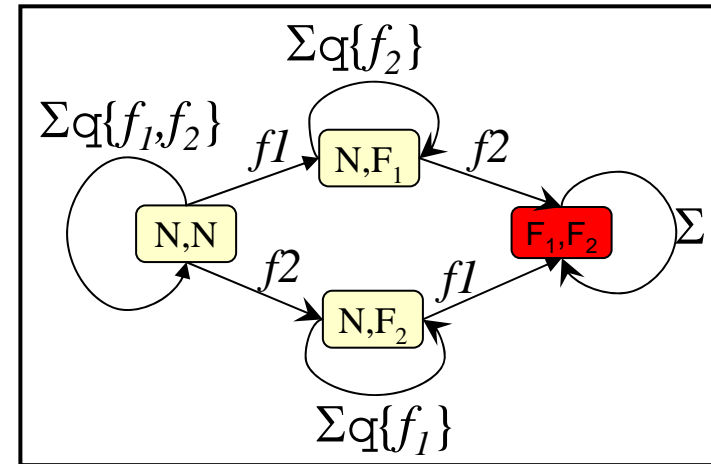
# Examples of supervision patterns



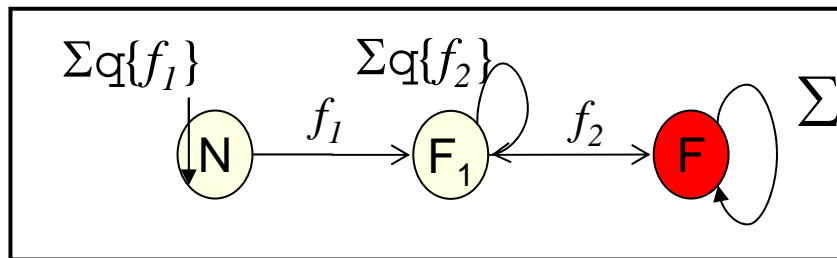
Occurrence of a fault



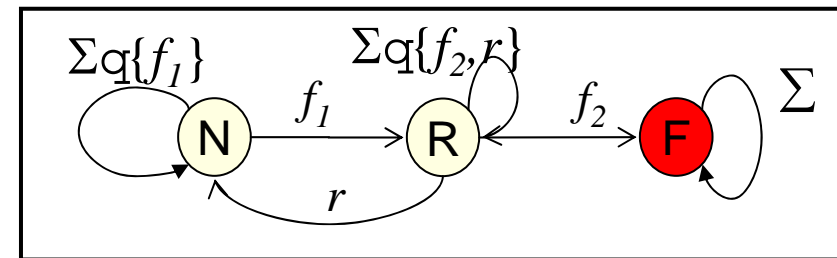
Multiple Occurrence of a fault



Occurrence of 2 faults



Ordered occurrence of events



Intermittent faults with repair

Stability of the final states :

“to have seen  $f_1$  at least 2 times” is ok but not “exactly 3 times”

# Extended Diagnosis Problem

## Problem:

S: known system, partially observable:  $\Lambda = \Lambda_{uo} \hat{\ } \Lambda_o$

$\Omega$  : property on executions,  $L_{Q_P}(\Omega)$  (e.g. occurrence of fault f:  $L_{Q_P}(\Omega) = \Sigma^*.f.\Sigma^*$ )

Does  $\Omega$  hold on executions  $[[\mu]]$  **compatible** with observation  $\mu$  ?

Construction of a function

**Diag(G,Ω):**  $Tr(G) \ \$ \ \{\text{Yes, No, ?}\}$  that has to be

(C) Correct :  $\text{Diag}(G, \Omega)(\mu) = \text{No} \ / \ \# [[\mu]] \_ L_{Q_P}(\Omega) = >$

$= \text{Yes} \ / \ [[\mu]] \gg L_{Q_P}(\Omega)$

(B) Bounded:  $\langle n, \ ;s \ 5 \ [[\mu]] \_ L_{Q_P}(\Omega), \ ;t \ 5 \ L(G)/s \ \_ \Sigma^*.\Sigma_o,$

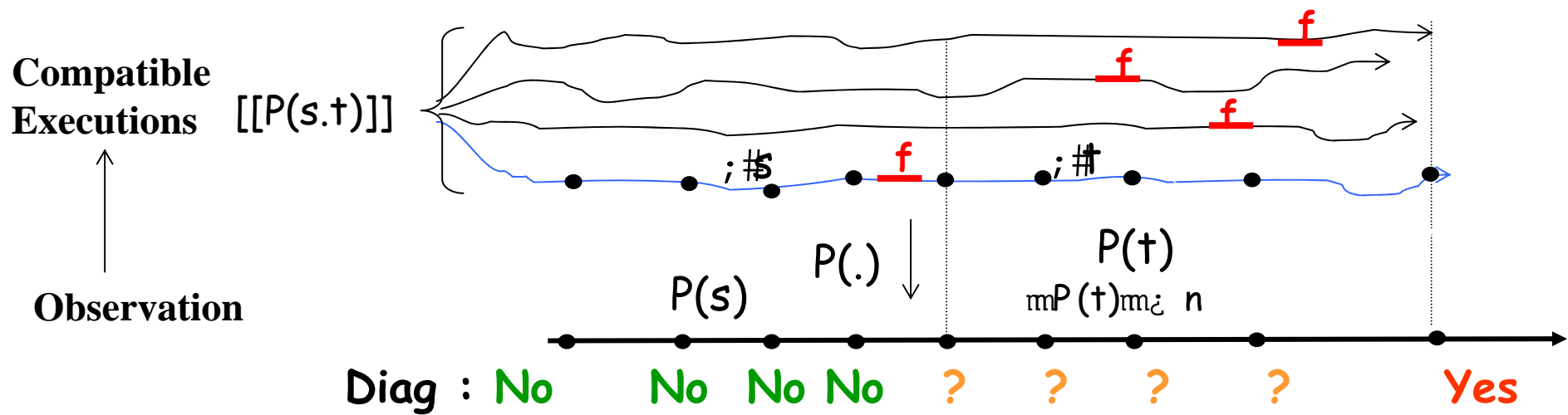
$\mathbf{mP}(t) \mathbf{m}_{\leq} n \ , \ \text{Diag}(\mu.P(t)) = \text{Yes}$

Construction of a function **Diag**(G,Ω): Tr(G) ! {Yes, No, ?} that has to be

$$\begin{aligned}
 \text{((C) Correct : } \text{Diag}(G, \Omega)(\mu) = \text{No} & / \# [[\mu]] \_ L_{Q_P}(\Omega) = > \\
 & = \text{Yes} / [[\mu]] \gg L_{Q_P}(\Omega)
 \end{aligned}$$

**(B) Bounded:**  $\langle n, ;s \_ 5 [[\mu]] \_ L_{Q_P}(\Omega), ;t \_ 5 L(G)/s \_ \Sigma^*.\Sigma_o,$

$$mP(t)m_{\leq} n , \text{Diag}(\mu.P(t)) = \text{Yes}$$



# Construction of the diagnoser

□ We take  $\Omega$  into account in  $G$

➤  $G_\Omega = G \times \Omega$

✓  $L(G_\Omega) = L(G)$

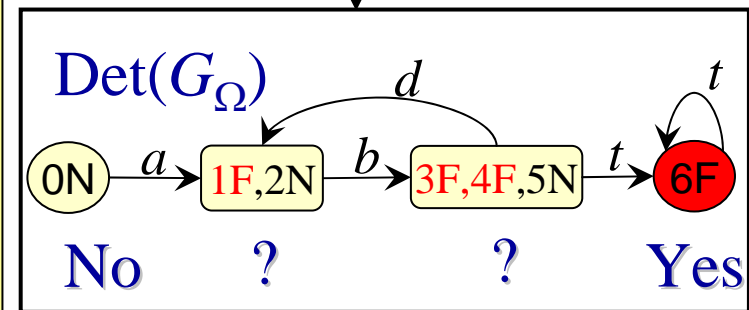
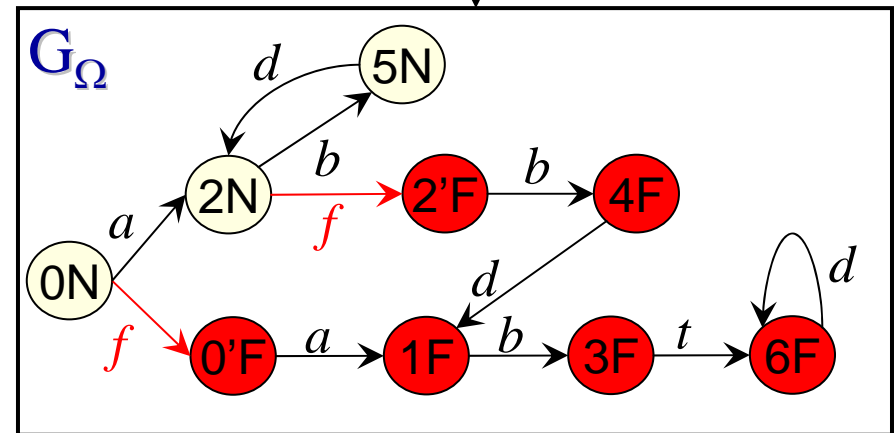
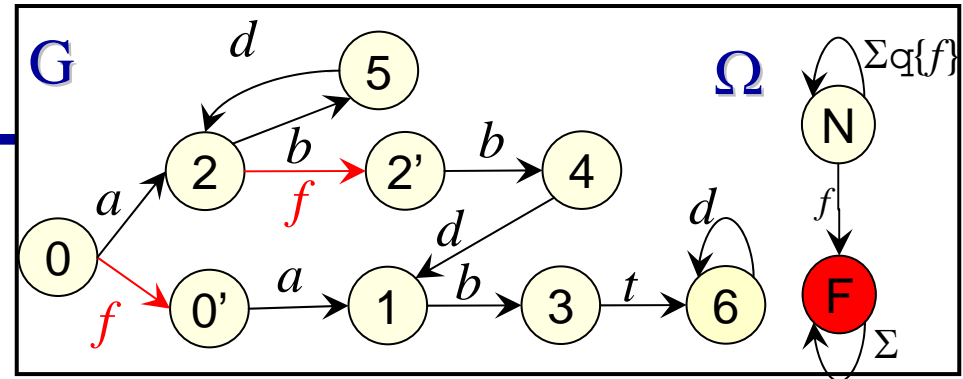
✓  $L(G_\Omega, Q_S, Q_P) = L(G) \_ L_{Q_P}(\Omega)$

□  $\text{Det}(G_\Omega) = \langle X, \Sigma, X_0, \delta \rangle$

➤  $X_0 = (q_0, q_{0_\Omega}), X \subseteq 2^{Q \times Q_\Omega}$

➤  $\Delta_{\text{Det}(G_\Omega)}(X_0, \mu) = \{\Delta_{G_\Omega}((q_0, q_{0_\Omega}), [[\mu]])\}$

$\Delta_{\text{Det}(G_\Omega)}(X_0, abd) = \{1F, 2N\}$



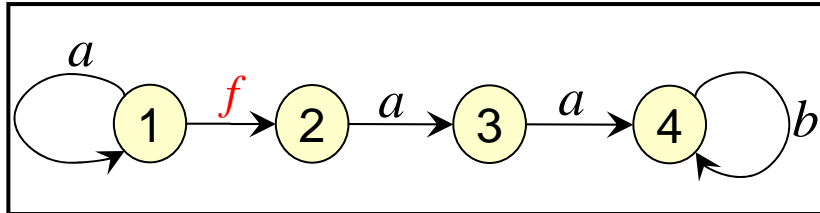
□ The function  $\text{Diag}_\Omega(\mu)$

$$\text{Diag}_\Omega(\mu) = \begin{cases} \text{Yes} & \text{si } \Delta_{\text{Det}(G_\Omega)}(X_0, \mu) \subseteq Q \times Q_P \\ \text{No} & \text{si } \Delta_{\text{Det}(G_\Omega)}(X_0, \mu) \cap Q \times Q_P = \emptyset \\ ? & \text{otherwise} \end{cases}$$

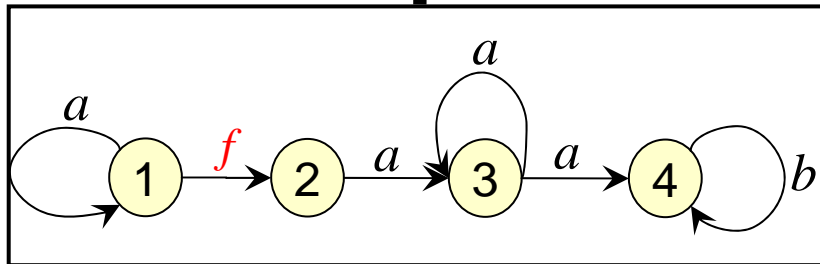
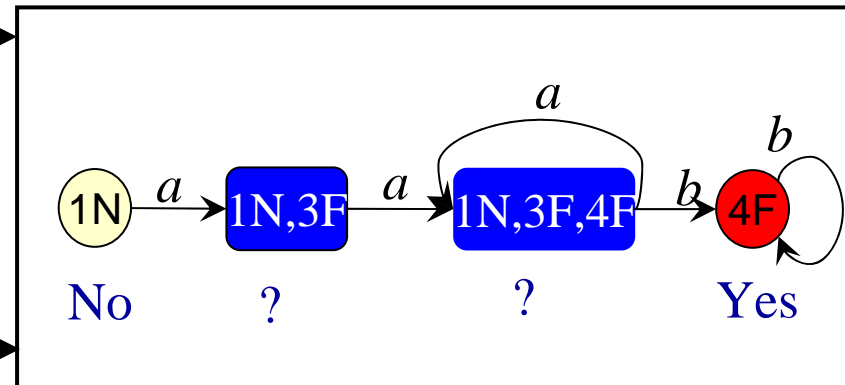
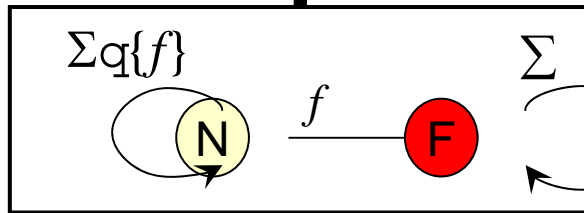
is a correct diagnoser



# Diagnoser et Diagnosability



,  $\# \Omega_f$ -Diagnosable



,  $\# \Omega_f$ -Diagnosable

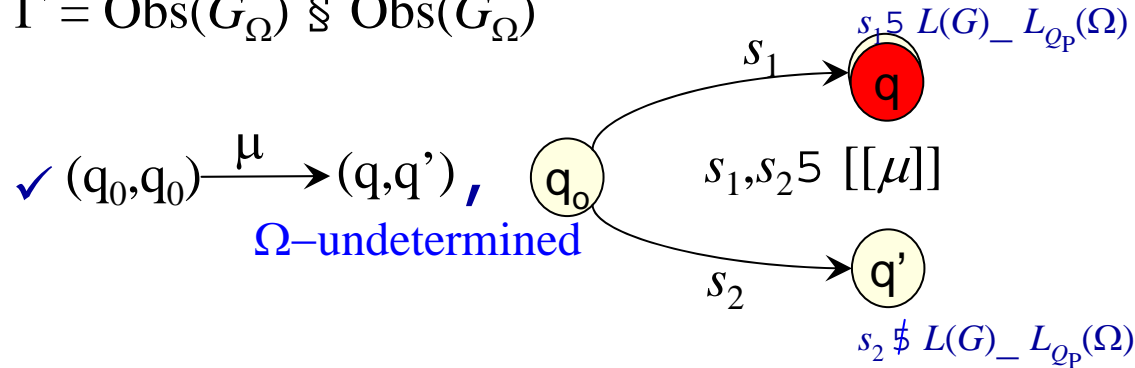
# Test of the diagnosability

- $G$  is not  $\Omega$ -diagnosable if it exists 2 arbitrary long sequences compatible with the observation, one being faulty the other not.

[Jiang 00 & Yoo 02]

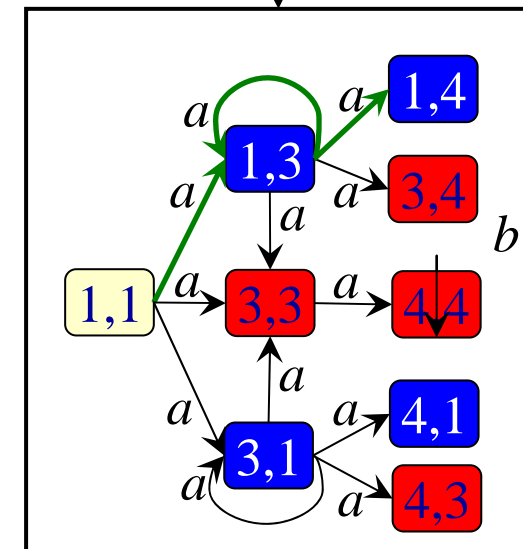
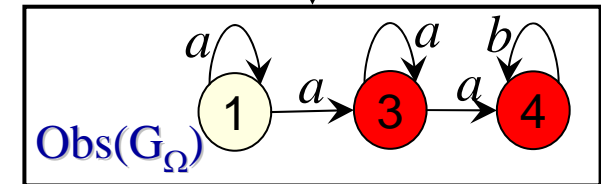
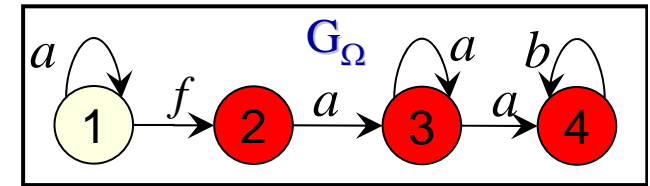
- Test based on  $\text{Obs}(G_\Omega)$ , the  $(\Sigma_{u_0})^* \Sigma_o$ -closure of  $G_\Omega$

- $\Gamma = \text{Obs}(G_\Omega) \S \text{Obs}(G_\Omega)$

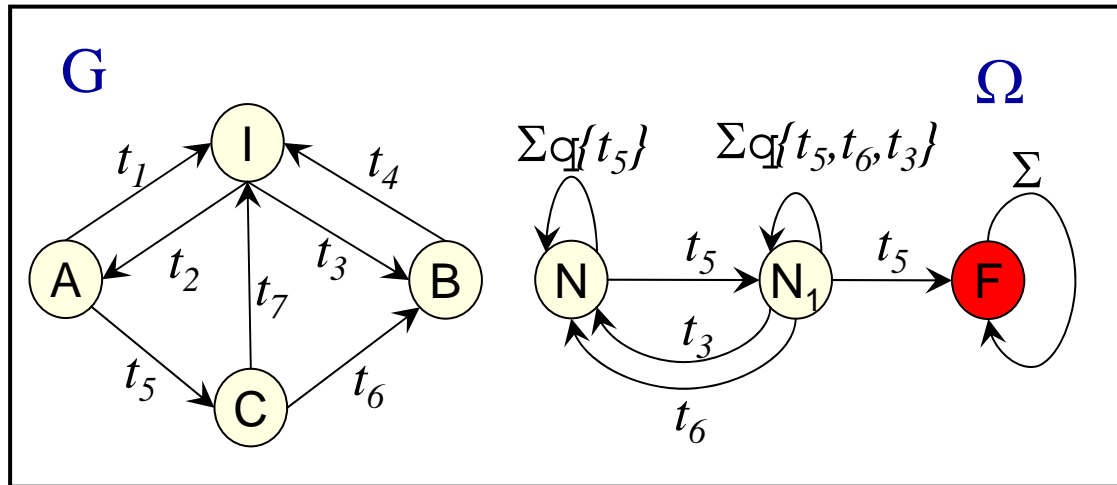


- ✓ A path in  $\Gamma$  is  $n$ -undetermined if it contains  $n+1$  states  $\Omega$ -undetermined

$G$  is  $\Omega(n)$ -diagnosable /  $\not\prec$  path  $n$ -undetermined in  $\Gamma$   
 $G$  is  $\Omega$ -diagnosable / no  $\Omega$ -undetermined cycle in  $\Gamma$



## Example: supervision of a building



A : office (accueil)

I : laboratory

C : cafeteria

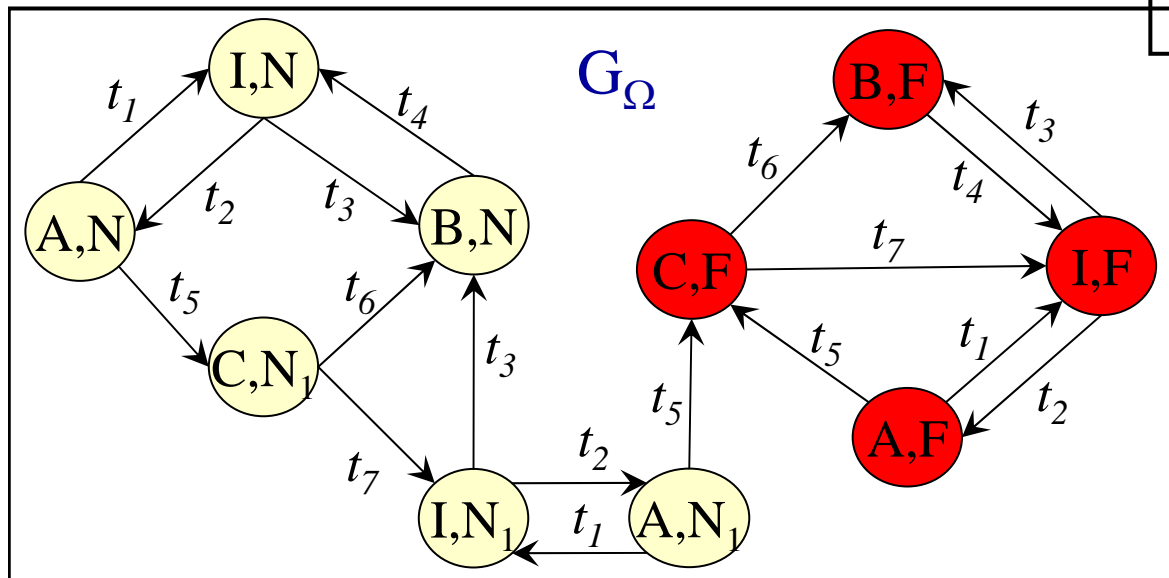
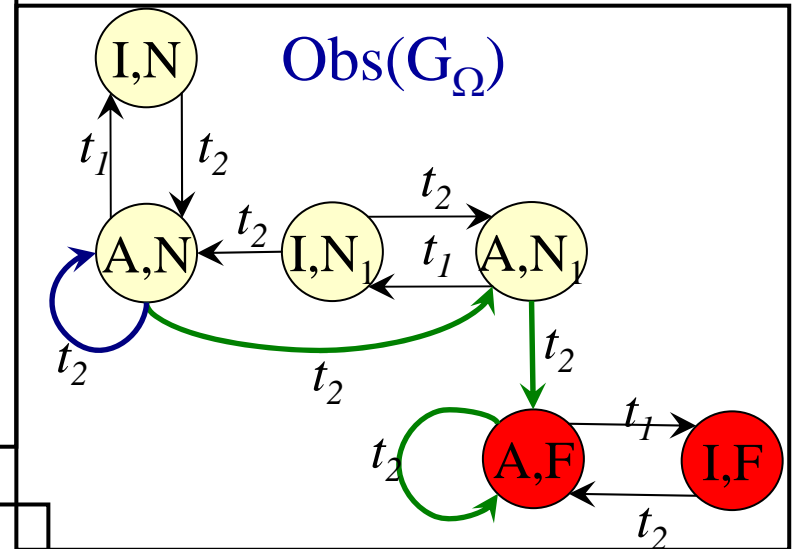
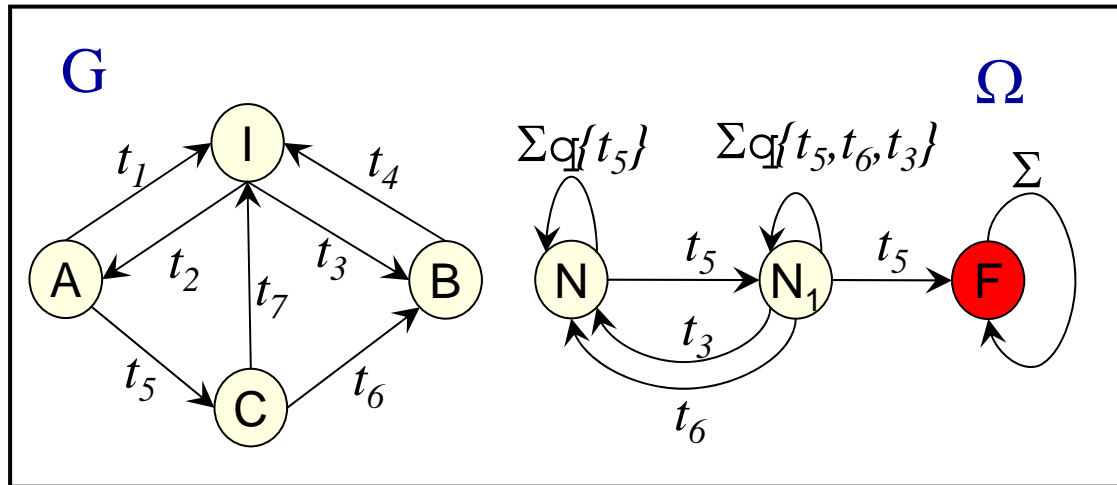
B : library

$t_1, t_2, t_3, t_4, t_5, t_6, t_7$  : doors with magnetic cards (observable or not)

Property to checked :

“Having gone twice to the cafeteria without going through the library”

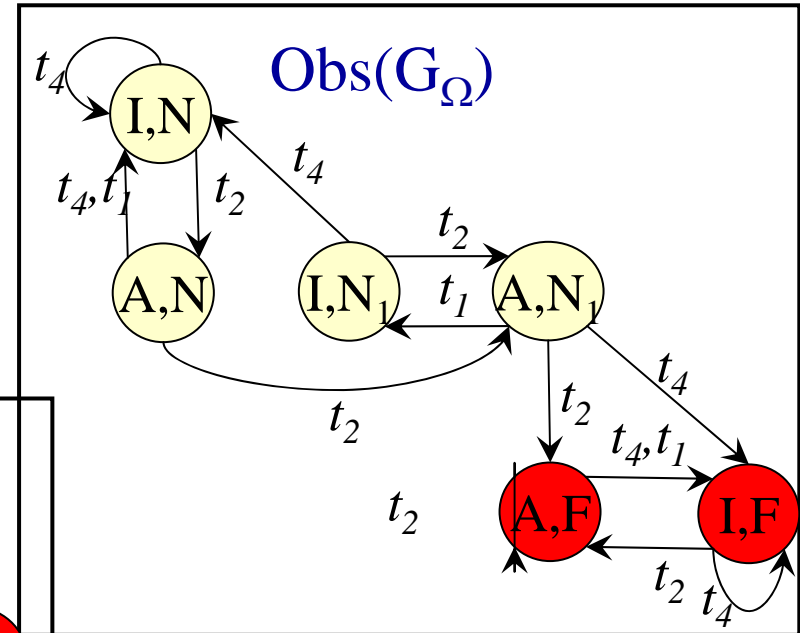
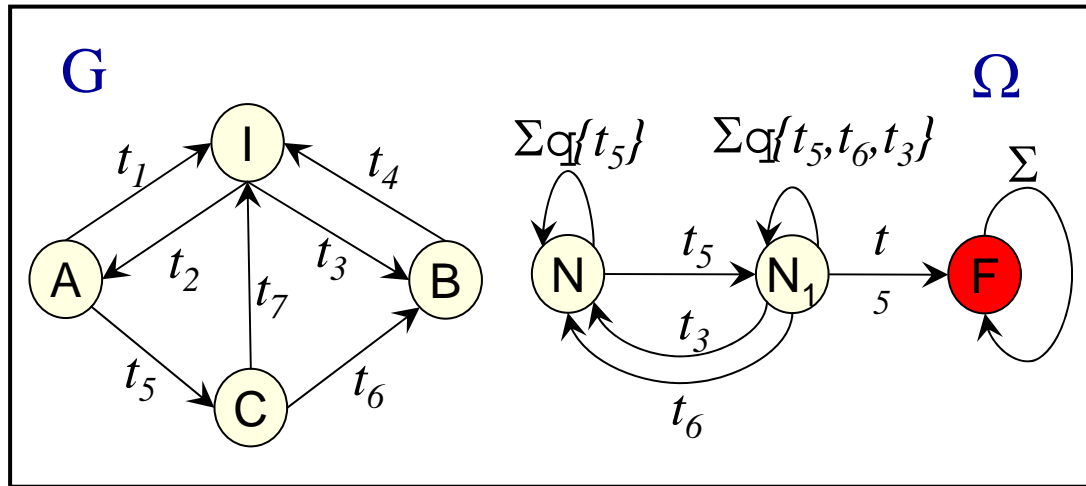
# Example: supervision of a building



**Not diagnosticable !**

$$\Sigma_o = \{t_1, t_2\}$$

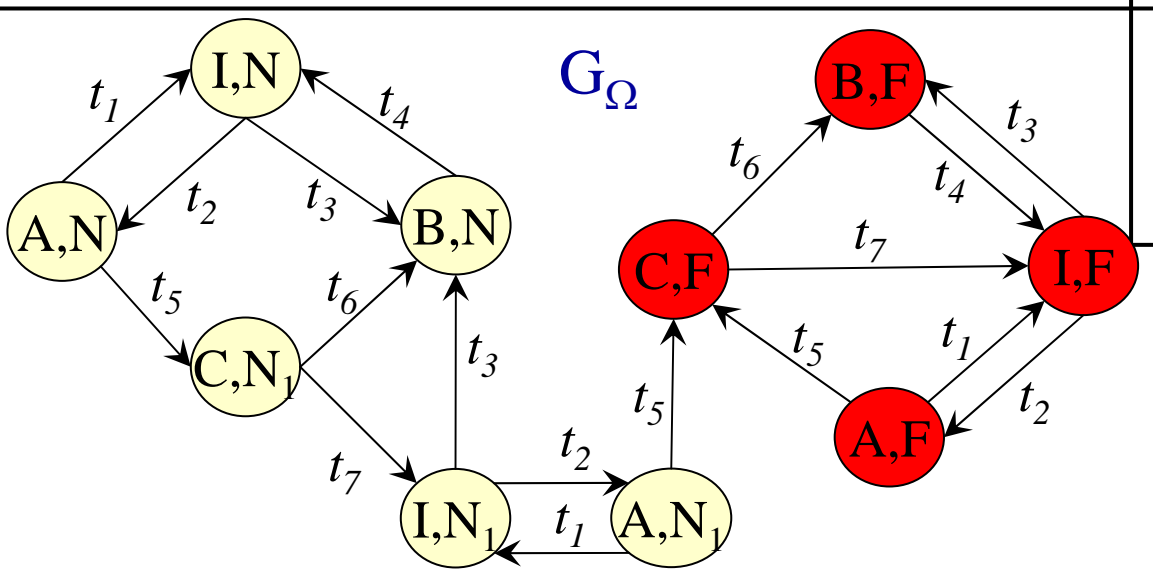
# Example: supervision of a building



**Diagnosticable !**

$$\Sigma_o = \{t_1, t_2, t_4\}$$

$$\text{Obs}(G_\Omega) = \text{Det}(G_\Omega)$$

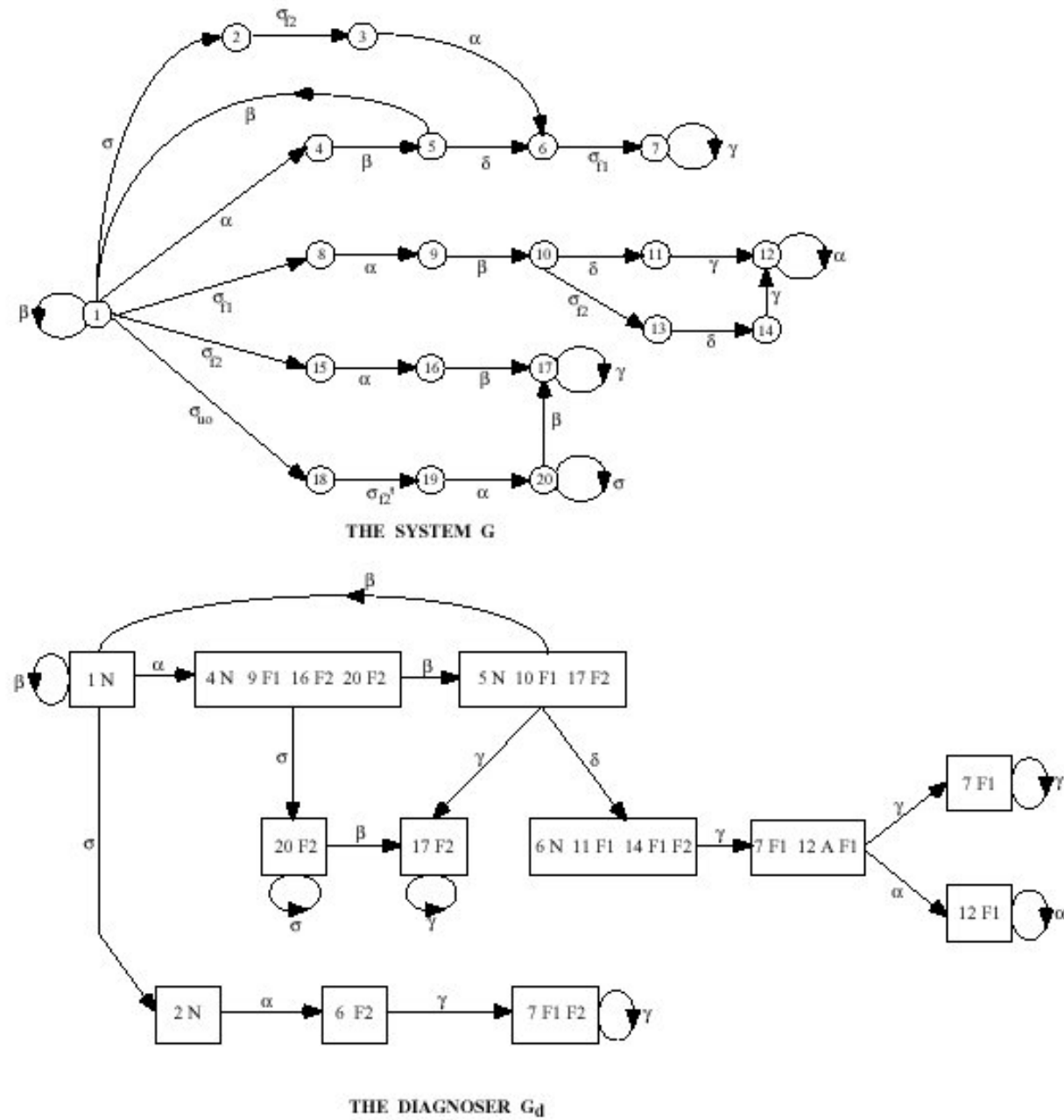


# Conclusion and perspectives on diagnosability

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- Analysis of real large-scale discrete event systems
  - See Decentralized/distributed approaches of diagnosability
- Help to improve the efficiency of diagnosis
  - By choosing the good abstraction level for the model
- Help to improve the diagnosability of a system
  - By improving its observability : how to place the sensors for a better discrimination? Optimality of sensor cost versus failure cost?
- Help to design a self-healable system
  - Which repair actions for a system given its diagnosability?

# Di



**Figure 3.5:** Example illustrating construction of the diagnoser  $G_d$

# Systemes autoguérissants : vers une intégration formelle du diagnostic et de la réparation

Marie-Odile Cordier, Thierry Vidal  

Yannick Pencolé, Louise Travé-Massuyès  

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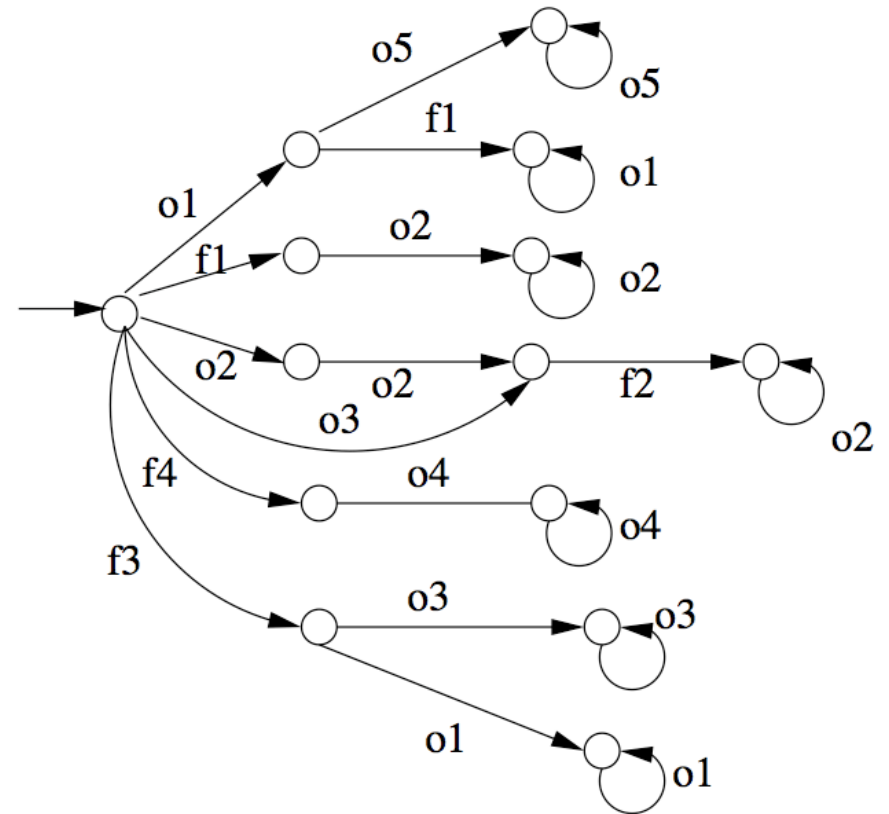
# Hypothèses de travail et objectifs

- Système continu ou **discret**
- **Centralisé**
- **Pas de contraintes de temps**
- Fautes **permanentes** et **uniques**
- Notion **abstraite** de plans de réparation  
*... amenées à être relaxées !*
  
- Chercher des **propriétés formelles génériques**
- Définitions « **intégrées** » : diagnosticabilité + réparabilité = autoguérison

# Diagnosticabilité

$o_1, \dots, o_5$  observables

$f_1, \dots, f_4$  fautes non observables



# Diagnosticabilité

$o_1, \dots, o_5$  observables

$f_1, \dots, f_4$  fautes non observables

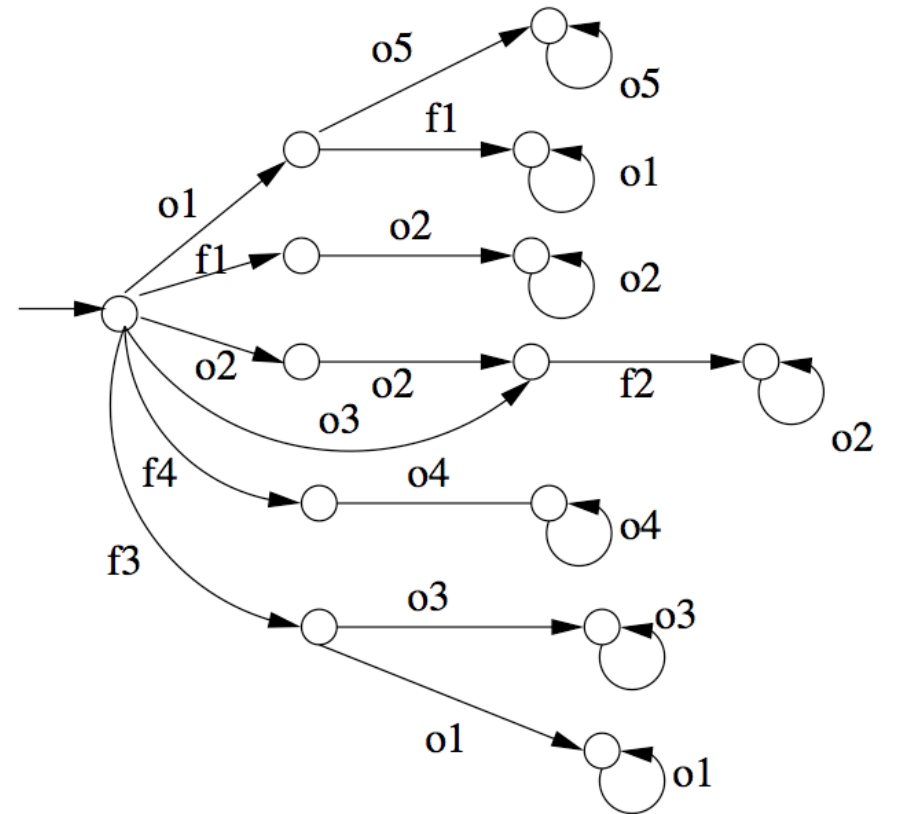
$\text{Sig}(f_1): \{o_1^\infty, o_2^\infty\}$

$\text{Sig}(f_2): \{o_2^\infty, o_3 o_2^\infty\}$

$\text{Sig}(f_3): \{o_1^\infty, o_3^\infty\}$

$\text{Sig}(f_4): \{o_4^\infty\}$

$\text{Sig}(\text{ok}): \{o_1 o_5^\infty\}$



# Diagnosticabilité

$o_1, \dots, o_5$  observables

$f_1, \dots, f_4$  fautes non observables

$\text{Sig}(f_1): \{o_1^\infty, o_2^\infty\}$

$\text{Sig}(f_2): \{o_2^\infty, o_3 o_2^\infty\}$

$\text{Sig}(f_3): \{o_1^\infty, o_3^\infty\}$

$\text{Sig}(f_4): \{o_4^\infty\}$

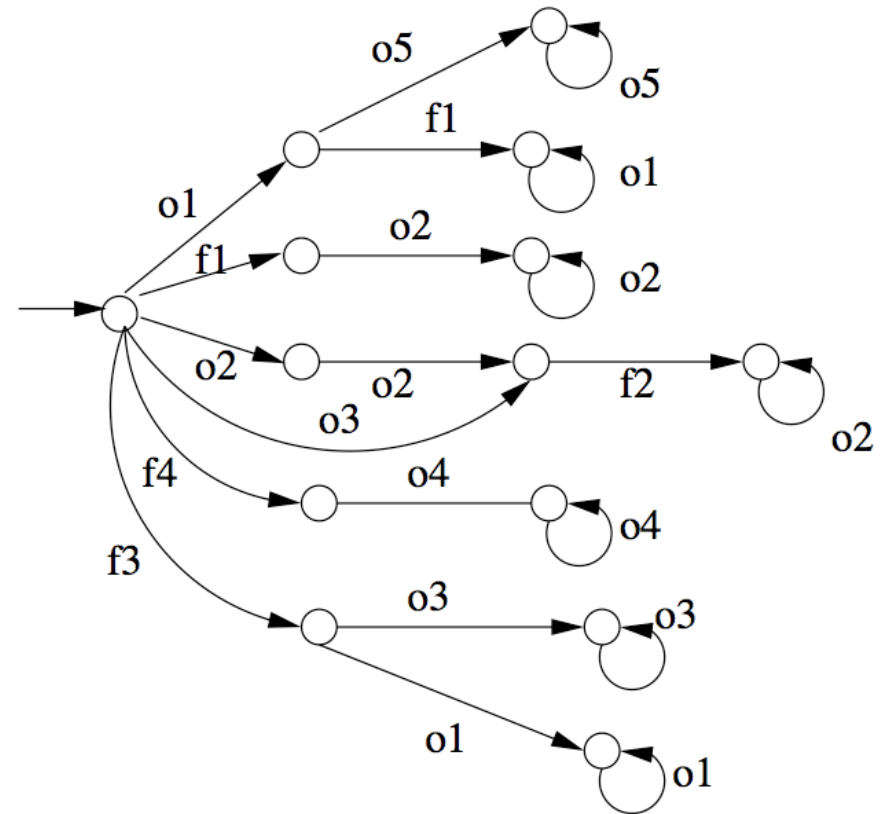
$\text{Sig}(ok): \{o_1 o_5^\infty\}$

$\{\{ok\}, \{f_1, f_2, f_3\}, \{f_4\}\}$

$\{\{ok\}, \{f_1, f_2\}, \{f_1, f_3\}, \{f_4\}\}$

$\{\{ok\}, \{f_1, f_2\}, \{f_1, f_3\}, \{f_2\}, \{f_3\}, \{f_4\}\}$

diagnosticables !



# Diagnosticabilité

$o_1, \dots, o_5$  observables

$f_1, \dots, f_4$  fautes non observables

$\text{Sig}(f_1): \{o_1^\infty, o_2^\infty\}$

$\text{Sig}(f_2): \{o_2^\infty, o_3o_2^\infty\}$

$\text{Sig}(f_3): \{o_1^\infty, o_3^\infty\}$

$\text{Sig}(f_4): \{o_4^\infty\}$

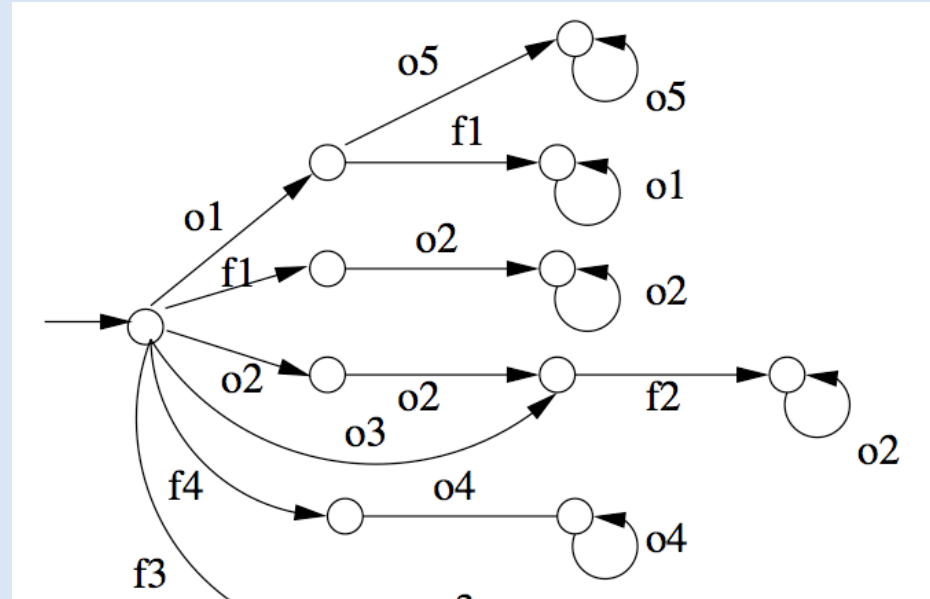
$\text{Sig}(ok): \{o_1o_5^\infty\}$

$\{\{ok\}, \{f_1, f_2, f_3\}, \{f_4\}\}$

$\{\{ok\}, \{f_1, f_2\}, \{f_1, f_3\}, \{f_4\}\}$

$\{\{ok\}, \{f_1, f_2\}, \{f_1, f_3\}, \{f_2\}, \{f_3\}, \{f_4\}\}$

diagnosticables !



$\{\{o_1o_5^\infty\}, \{o_1^\infty, o_2^\infty, o_3o_2^\infty, o_3^\infty\}, \{o_4^\infty\}\}$

$\{\{o_1o_5^\infty\}, \{o_2^\infty, o_3o_2^\infty\}, \{o_1^\infty, o_3^\infty\}, \{o_4^\infty\}\}$

$\{\{o_1o_5^\infty\}, \{o_2^\infty\}, \{o_1^\infty\}, \{o_3o_2^\infty\}, \{o_3^\infty\}, \{o_4^\infty\}\}$

# Diagnosticabilité

- $F$  : ensemble de fautes élémentaires (+ ok)
- $E(F) = \{F_1, F_2, \dots, F_m\}$  : ensemble de macro-fautes
- Ensemble d'observables  $\Sigma \rightarrow MF(\Sigma)$  macro-faute minimale produisant  $\Sigma$

***Diagnosticable ( $E(F)$ )  $\Leftrightarrow$***

- $\exists$  partition des observables  $\pi = \{\Sigma_1, \dots, \Sigma_m\}$
- $\forall i, MF(\Sigma_i) = F_i$

# Réparabilité

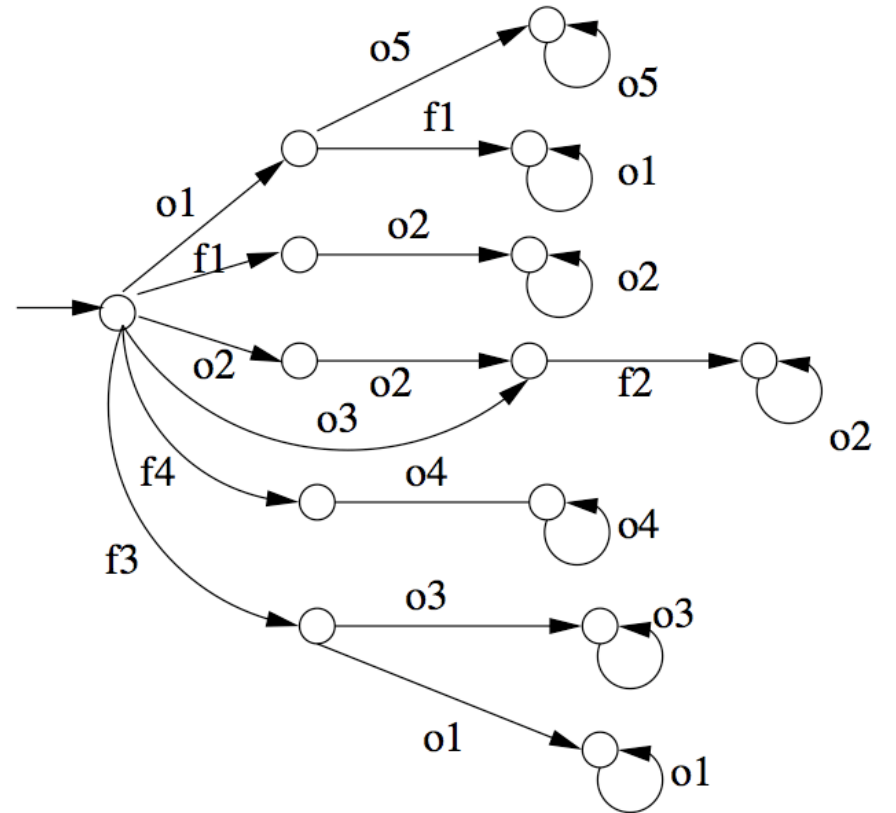
$\{\{ok\}, \{f_1, f_2, f_3\}, \{f_4\}\}$  réparable  
ssi

$\exists r_a$  réparant  $f_1, f_2,$  et  $f_3$

$\{\{ok\}, \{f_1, f_2\}, \{f_1, f_3\}, \{f_4\}\}$  réparable  
ssi

$\exists r_a$  réparant  $f_1$  et  $f_2,$  et

$\exists r_b$  réparant  $f_1$  et  $f_3$



# Réparabilité & Autoguérison

**Réparable** ( $E(F)$ )  $\Leftrightarrow \forall F_i, \exists r_k / \text{Répare}(r_k, F_i)$

**Autoguérissant**  $\Leftrightarrow$

- $\exists E(F)$  couvrant
- Diagnosticable( $E(F)$ )
- Réparable( $E(F)$ )



# Algo sur l'exemple

	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$						
$f_1$						
$f_2$						
$f_3$						
$f_4$						

# Algo sur l'exemple

	$O_{1\infty}O_5$	$O_1^\infty$	$O_2^\infty$	$O_{3\infty}O_2$	$O_3^\infty$	$O_4^\infty$
<i>ok</i>	X					
$f_1$		X	X			
$f_2$			X	X		
$f_3$		X			X	
$f_4$						X

- Relier les fautes élémentaires à leurs signatures

# Algo sur l'exemple

	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$	$r_{ok}$					
$f_1$		$r_1 r_2$	$r_1 r_2$			
$f_2$			$r_1 r_3$	$r_1 r_3$		
$f_3$		$r_2 r_3$			$r_2 r_3$	
$f_4$						$r_4$

- Expliciter les plans qui réparent la faute

# Algo sur l'exemple

	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$	$r_{ok}$					
$f_1$		$r_1 r_2$	$r_1 r_2$			
$f_2$			$r_1 r_3$	$r_1 r_3$		
$f_3$		$r_2 r_3$			$r_2 r_3$	
$f_4$						$r_4$

- Expliciter les plans qui réparent la faute
- ... et établir l'intersection pour chaque signature

# Algo sur l'exemple

	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$	$r_{ok}$					
$f_1$		$r_1$ $r_2$	$r_1$ $r_2$			
$f_2$			$r_1$ $r_3$	$r_1$ $r_3$		
$f_3$		$r_2$ $r_3$			$r_2$ $r_3$	
$f_4$						$r_4$

- Expliciter les plans qui réparent la faute
- ... et établir l'intersection pour chaque signature

# Algo sur l'exemple

	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$	$r_{ok}$					
$f_1$		$r_1$ $r_2$	$r_1$ $r_2$			
$f_2$			$r_1$ $r_3$	$r_1$ $r_3$		
$f_3$		$r_2$ $r_3$			$r_2$ $r_3$	
$f_4$						$r_4$
	<b><math>r_{ok}</math></b>	<b><math>r_2</math></b>	<b><math>r_1</math></b>	<b><math>r_1</math> <math>r_3</math></b>	<b><math>r_2</math> <math>r_3</math></b>	<b><math>r_4</math></b>

# Algo sur l'exemple

	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$	$r_{ok}$					
$f_1$		$r_1$ $r_2$	$r_1$ $r_2$			
$f_2$			$r_1$ $r_3$	$r_1$ $r_3$		
$f_3$		$r_2$ $r_3$			$r_2$ $r_3$	
$f_4$						$r_4$
$E(B) =$	$\{r_{ok}\}$	$\{r_2\}$	$\{r_1\}$	$\{r_1, r_3\}$	$\{r_2, r_3\}$	$\{r_4\}$

# Algo de vérification de SH

**for all  $\sigma \in OBS$  do**

    Compute  $AP(\sigma) = \bigcap_{f_i \in MF(\sigma)} RP(f_i)$

**if  $AP(\sigma) = \emptyset$  then**

**exit(not Self-Healing)**

**end if**

**end for**

**exit(Self-Healing)**



# Justification formelle

Considérons un  $E(F)$  spécifique :

$$\mathbf{E}_0(F) = \bigcup_{\sigma \in OBS} MF(\sigma)$$

On prouve :

1. **Diagnosticable**( $\mathbf{E}_0(F)$ )
2. **Autoguérissant** ssi **Réparable**( $\mathbf{E}_0(F)$ )
3. L'algo vérifie justement **Réparable**( $\mathbf{E}_0(F)$ )

# Sélection des plans

E(B) =

$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
<b>r<sub>ok</sub></b> { {OK} }	<b>r<sub>2</sub></b> { {f <sub>1</sub> , f <sub>3</sub> } }	<b>r<sub>1</sub></b> { {f <sub>1</sub> , f <sub>2</sub> } }	<b>r<sub>1</sub> r<sub>3</sub></b> { {f <sub>2</sub> } }	<b>r<sub>2</sub> r<sub>3</sub></b> { {f <sub>3</sub> } }	<b>r<sub>4</sub></b> { {f <sub>4</sub> } }

# Sélection des plans

E(B) =

$O_1 O_5^\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2^\infty$	$O_3^\infty$	$O_4^\infty$
$r_{ok}$ { {OK} }	$r_2$ { {f <sub>1</sub> , f <sub>3</sub> } }	$r_1$ { {f <sub>1</sub> , f <sub>2</sub> } }	$r_1, r_3$ { {f <sub>2</sub> } }	$r_2, r_3$ { {f <sub>3</sub> } }	$r_4$ { {f <sub>4</sub> } }

$O_1 O_5^\infty$	$O_1^\infty, O_3^\infty$	$O_2^\infty, O_3 O_2^\infty$	$O_4^\infty$
$r_{ok}$	$r_2$	$r_1$	$r_4$

# Sélection des plans

E(B) =

$O_1 O_5^\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2^\infty$	$O_3^\infty$	$O_4^\infty$
<b>r<sub>ok</sub></b> { {ok} }	<b>r<sub>2</sub></b> { {f <sub>1</sub> , f <sub>3</sub> } }	<b>r<sub>1</sub></b> { {f <sub>1</sub> , f <sub>2</sub> } }	<b>r<sub>1</sub>, r<sub>3</sub></b> { {f <sub>2</sub> } }	<b>r<sub>2</sub>, r<sub>3</sub></b> { {f <sub>3</sub> } }	<b>r<sub>4</sub></b> { {f <sub>4</sub> } }

E(B) =

$O_1 O_5^\infty$	$O_1^\infty, O_3^\infty$	$O_2^\infty, O_3 O_2^\infty$	$O_4^\infty$
<b>r<sub>ok</sub></b> { {ok} }	<b>r<sub>2</sub></b> { {f <sub>1</sub> , f <sub>3</sub> } }	<b>r<sub>1</sub></b> { {f <sub>1</sub> , f <sub>2</sub> } }	<b>r<sub>4</sub></b> { {f <sub>4</sub> } }

# Sélection des plans

E(B) =

$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$r_{ok}$ $\{\{OK\}\}$	$r_2$ $\{f_1, f_3\}$	$r_1$ $\{f_1, f_2\}$	$r_1, r_3$ $\{f_2\}$	$r_2, r_3$ $\{f_3\}$	$r_4$ $\{f_4\}$

# Sélection des plans

E(B) =

$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$r_{ok}$ { {OK} }	$r_2$ { {f <sub>1</sub> , f <sub>3</sub> } }	$r_1$ { {f <sub>1</sub> , f <sub>2</sub> } }	$r_1, r_3$ { {f <sub>2</sub> } }	$r_2, r_3$ { {f <sub>3</sub> } }	$r_4$ { {f <sub>4</sub> } }

$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2^\infty, O_3^\infty$	$O_4^\infty$
$r_{ok}$	$r_2$	$r_1$	$r_3$	$r_4$

# Sélection des plans

E(B) =

$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
<b>r<sub>ok</sub></b> { {OK} }	<b>r<sub>2</sub></b> { {f <sub>1</sub> , f <sub>3</sub> } }	<b>r<sub>1</sub></b> { {f <sub>1</sub> , f <sub>2</sub> } }	<b>r<sub>1</sub>, r<sub>3</sub></b> { {f <sub>2</sub> } }	<b>r<sub>2</sub>, r<sub>3</sub></b> { {f <sub>3</sub> } }	<b>r<sub>4</sub></b> { {f <sub>4</sub> } }

E(B) =

$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2^\infty, O_3^\infty$	$O_4^\infty$
<b>r<sub>ok</sub></b> { {OK} }	<b>r<sub>2</sub></b> { {f <sub>1</sub> , f <sub>3</sub> } }	<b>r<sub>1</sub></b> { {f <sub>1</sub> , f <sub>2</sub> } }	<b>r<sub>3</sub></b> { {f <sub>2</sub> , f <sub>3</sub> } }	<b>r<sub>4</sub></b> { {f <sub>4</sub> } }

# Si le système n'est pas SH ?

	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$	$r_{ok}$					
$f_1$		$r_1$	$r_1$			
$f_2$			$r_1 r_3$	$r_1 r_3$		
$f_3$		$r_2 r_3$			$r_2 r_3$	
$f_4$						$r_4$
	<b><math>r_{ok}</math></b>		<b><math>r_1</math></b>	<b><math>r_1 r_3</math></b>	<b><math>r_2 r_3</math></b>	<b><math>r_4</math></b>



# SH faible

= pour un sous-ensemble des  $\sigma_i$

	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$	$r_{ok}$					
$f_1$		$r_1$	$r_1$			
$f_2$			$r_1 r_3$	$r_1 r_3$		
$f_3$		$r_2 r_3$			$r_2 r_3$	
$f_4$						$r_4$
	$r_{ok}$		$r_1$	$r_1 r_3$	$r_2 r_3$	$r_4$

# SH faible

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	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$	$r_{ok}$					
$f_1$		$r_1$	$r_1$			
$f_2$			$r_1 r_3$	$r_1 r_3$		
$f_3$					$r_2 r_3$	
$f_4$						$r_4$
$E(B) =$	$\{r_{ok}\}$		$\{r_1, r_2\}$	$\{r_1, r_3\}$	$\{r_2, r_3\}$	$\{r_4\}$

# SH partielle

= pour un sous-ensemble des  $f_i$

	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$	$r_{ok}$					
$f_1$		$r_1$	$r_1$			
$f_2$			$r_1 r_3$	$r_1 r_3$		
$f_3$		$r_2 r_3$			$r_2 r_3$	
$f_4$						$r_4$
	$r_{ok}$		$r_1$	$r_1 r_3$	$r_2 r_3$	$r_4$

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= pour un sous-ensemble des  $f_i$

	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$	$r_{ok}$					
$f_1$		$r_1$	$r_1$			
$f_2$			$r_1 r_3$	$r_1 r_3$		
$f_3$		$r_2 r_3$			$r_2 r_3$	
$f_4$						$r_4$
$E(B) =$	$\{r_{ok}\}$		$\{r_1\}$	$\{r_1 r_3\}$	$\{r_2 r_3\}$	$\{r_4\}$

# Rétablir la SH ?

	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_3 O_2$ $\infty$	$O_3^\infty$	$O_4^\infty$
$ok$	$r_{ok}$					
$f_1$		$r_1$	$r_1$			
$f_2$			$r_1 r_3$	$r_1 r_3$		
$f_3$		$r_2 r_3$			$r_2 r_3$	
$f_4$						$r_4$
	<b><math>r_{ok}</math></b>		<b><math>r_1</math></b>	<b><math>r_1 r_3</math></b>	<b><math>r_2 r_3</math></b>	<b><math>r_4</math></b>

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	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_2 O_3$	$O_3^\infty$	$O_4^\infty$
<i>ok</i>	$r_{ok}$					
$f_1$		$r_1$	$r_1$			
$f_2$			$r_1 r_3$	$r_1 r_3$		
$f_3$		$r_2 r_3$			$r_2 r_3$	
$f_4$						$r_4$
	$r_{ok}$		$r_1$	$r_1 r_3$	$r_2 r_3$	$r_4$

1) Nouveaux plans de réparation  
*ajouter  $r_4$  qui répare  $f_1$  et  $f_3$*

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	$O_1 O_5$ $\infty$	$O_1^\infty$	$O_2^\infty$	$O_2 O_3$	$O_3^\infty$	$O_4^\infty$
<i>ok</i>	$r_{ok}$					
$f_1$		$r_1$				
$f_2$						
$f_3$		$r_2$	$r_3$			
$f_4$						$r_4$
	$r_{ok}$		$r_1$	$r_1 r_3$	$r_2 r_3$	$r_4$

1) Nouveaux plans de réparation  
*ajouter  $r_4$  qui répare  $f_1$  et  $f_3$*

2) Nouveaux capteurs  
*ajouter des observations précisant les deux trajectoires donnant  $O_1^\infty$*

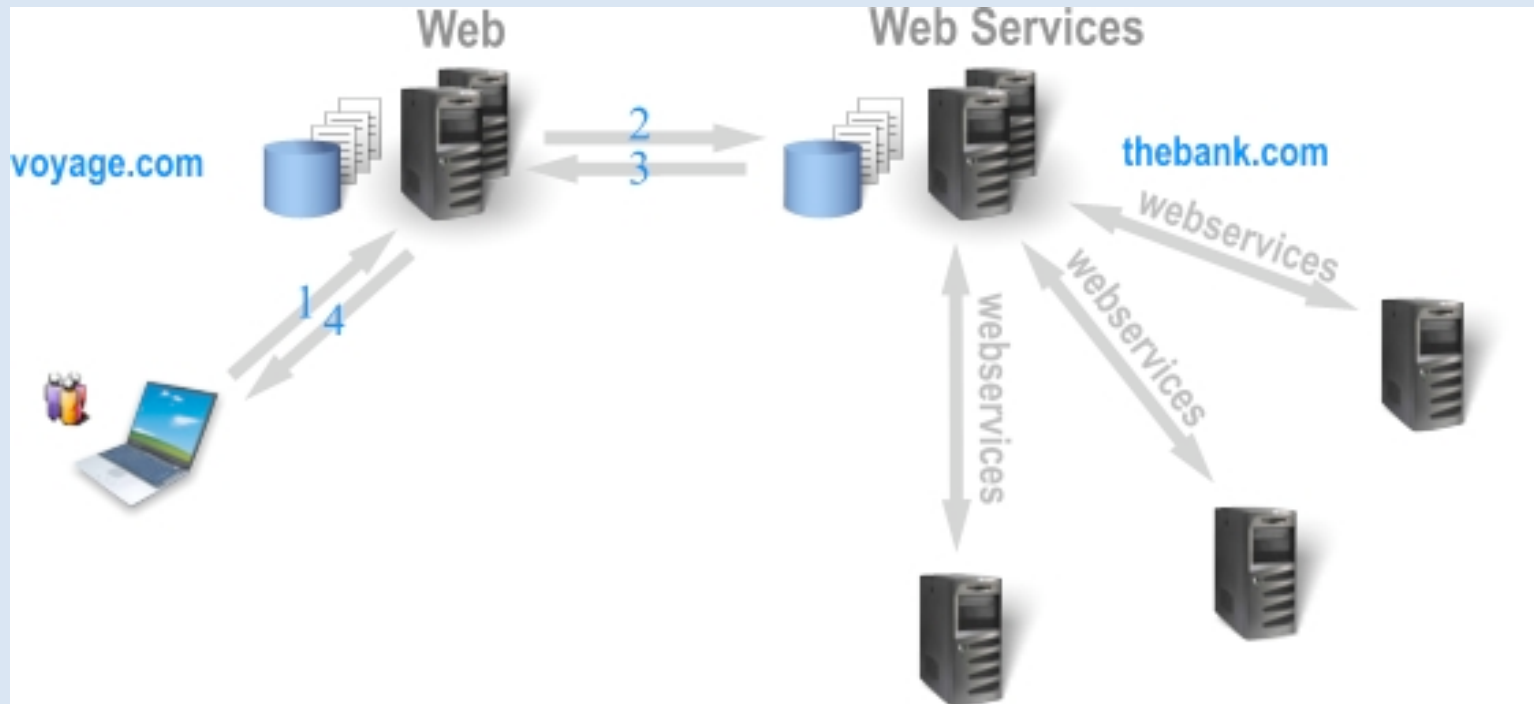
# Une architecture de diagnostic et réparation distribués

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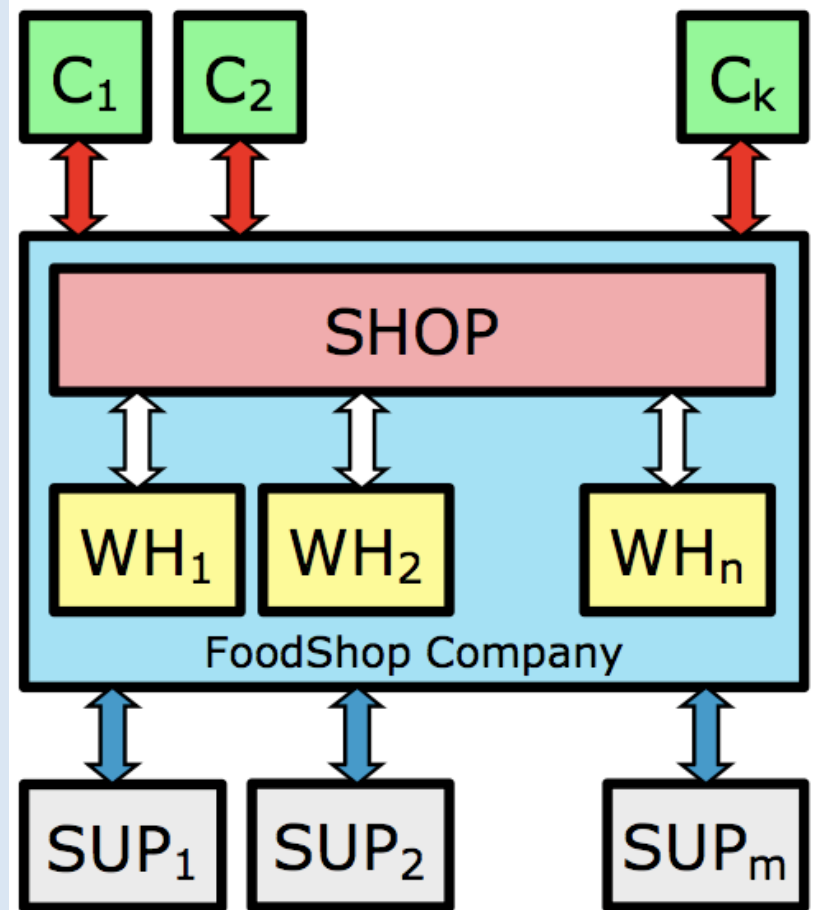
# Le cadre applicatif

- WS-DIAMOND = Web-Service Diagnosis, Monitoring and Diagnosability



# Le cadre applicatif

- Exemple : Food Shop

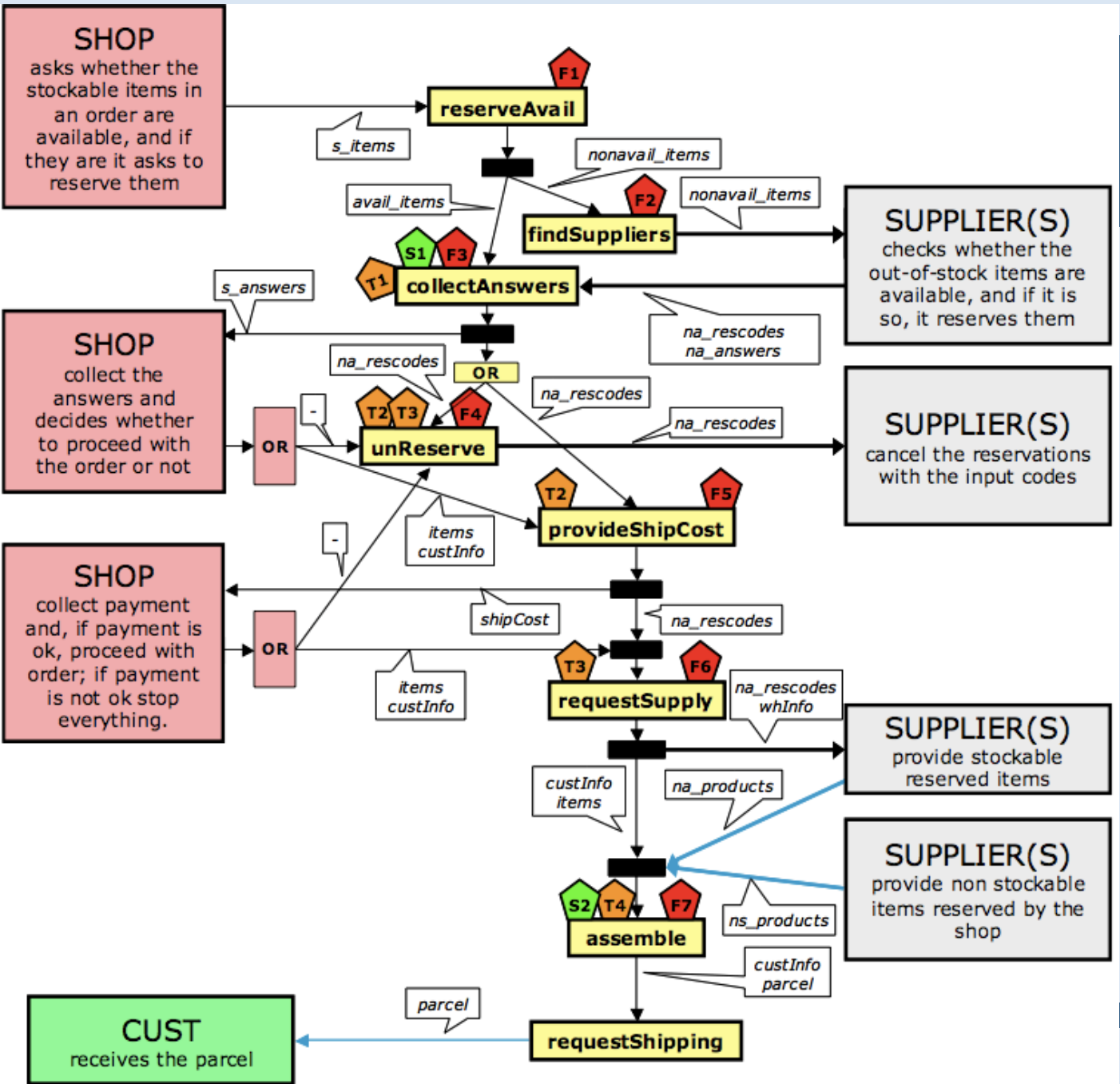


# Le cadre applicatif

- Requête → exécution de process = workflow

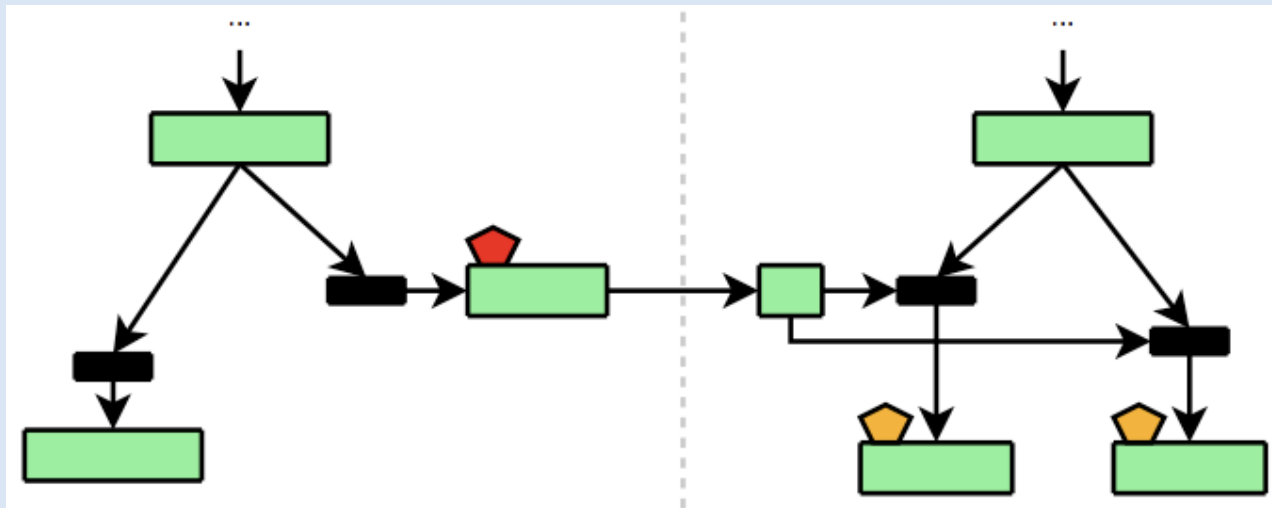
# Le c

- Req

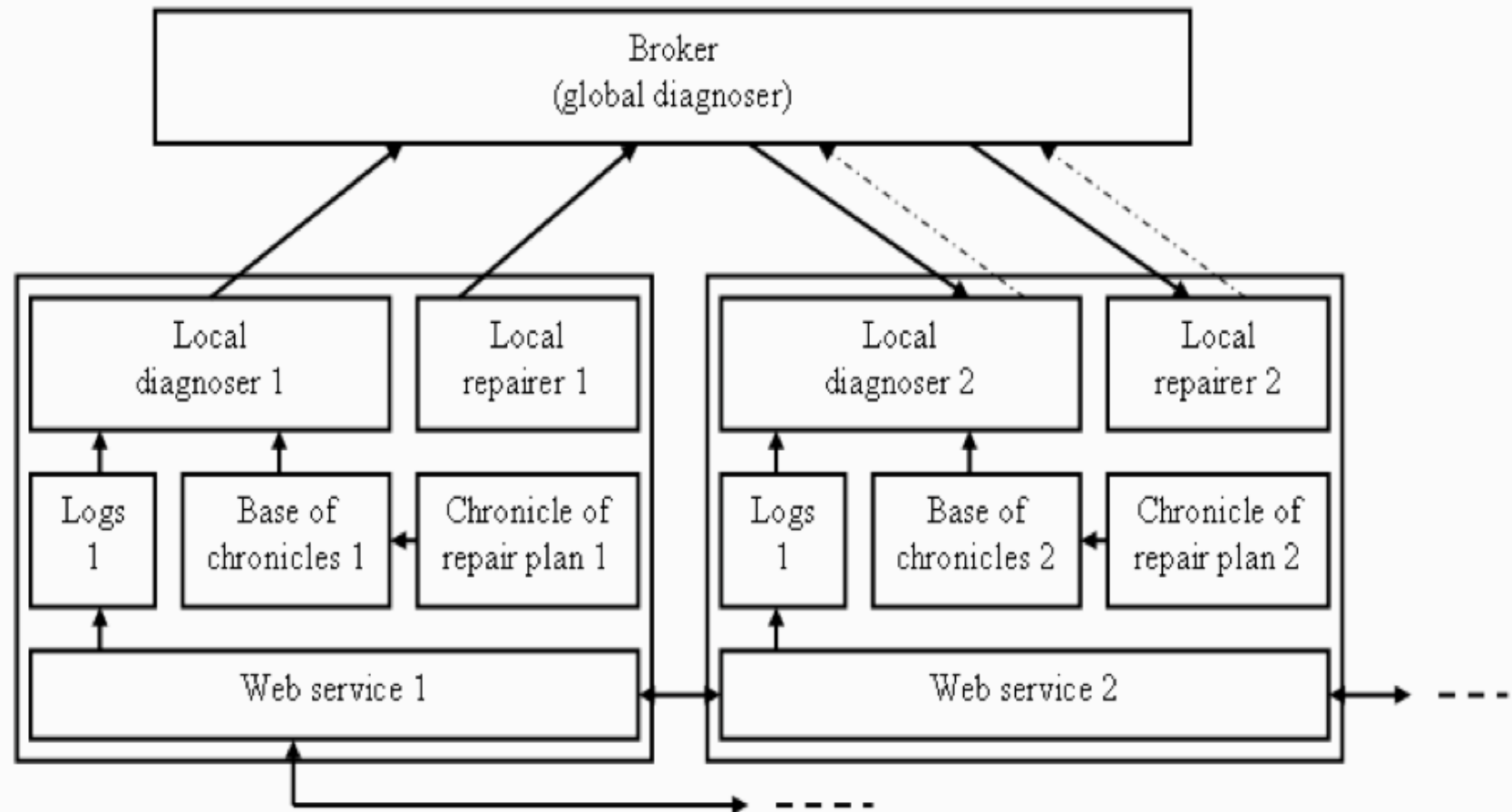


# Le cadre applicatif

- Distribué  $\Rightarrow$  infection = propagation des fautes



# Architecture



# Réparer ?

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- Plan de réparation ?



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local = ensemble d'actions élémentaires :

- $\text{Substitute}(\text{WS1}, \text{WS2}) + \text{Redo}(a2)$
- $\text{Compensate}(a4, a3, a2) + \text{Retry}(a2)$
- $\text{Compensate}(a4, a3, a2) + \text{ChgValue}(\text{code}, a2) + \text{Redo}(a2)$

# Réparer ?

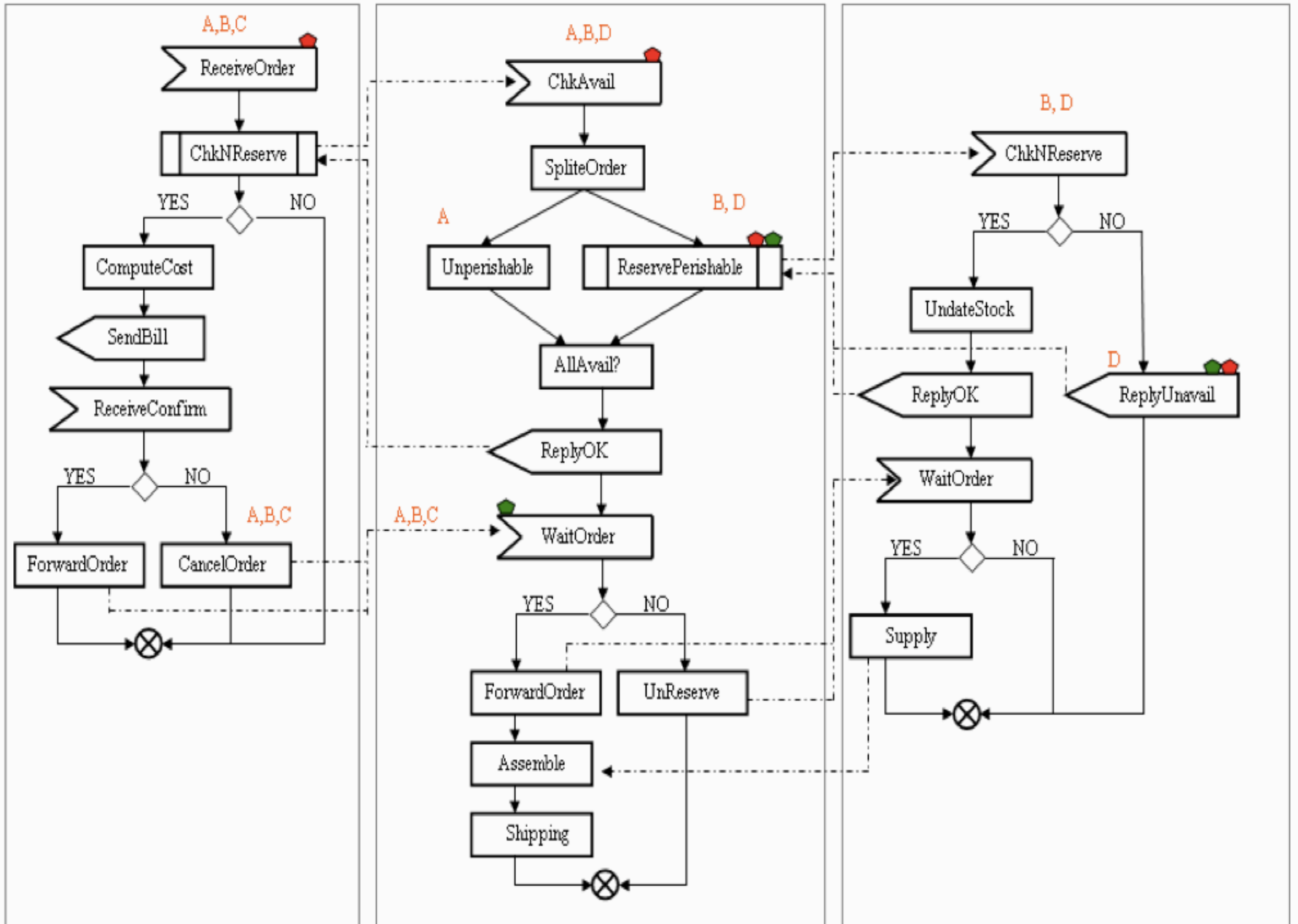
- Plan de réparation ?
  - local = ensemble d'actions élémentaires :
    - Substitute(WS1,WS2) + Redo(a2)
    - Compensate(a4,a3,a2) + Retry(a2)
    - Compensate(a4,a3,a2) + ChgValue(code,a2) + Redo(a2)
- 3 phases :
  - Stopper le processus
  - Roll-back (compensation)
  - Relancer (ou se mettre en attente...)

# Exemple

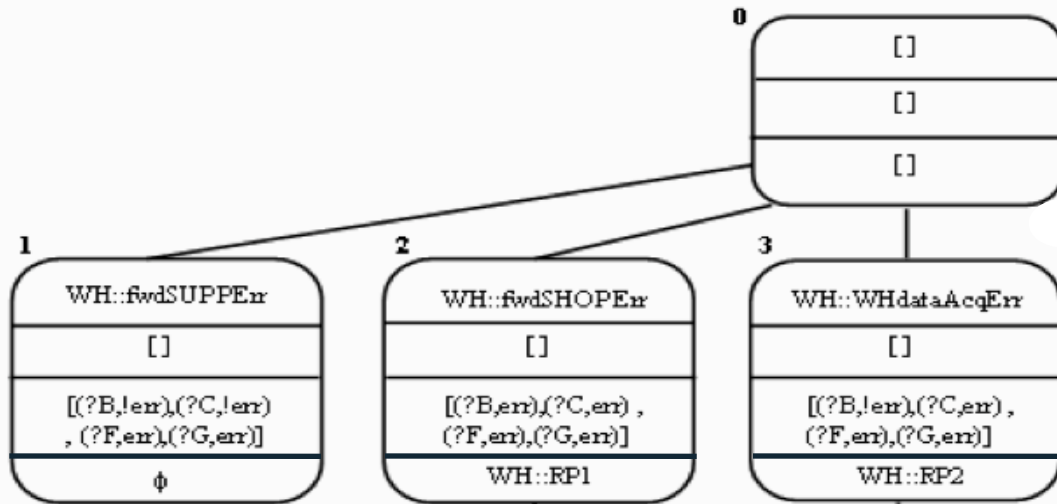
# SHOP

# WAREHOUSE

# SUPPLIER



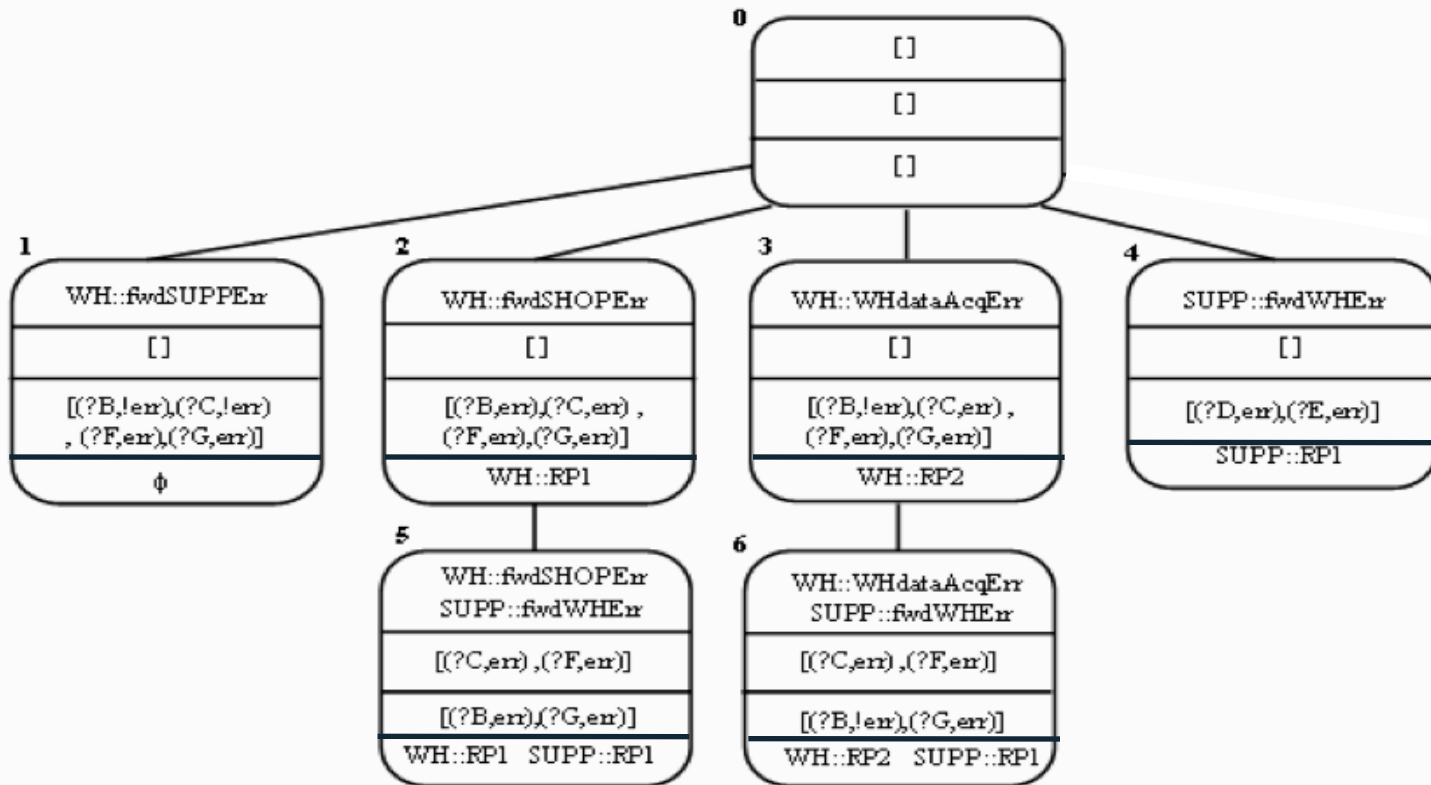
# Arbre de diag/répar



A: ?ShopListOut  
 B: ?WHLListIn  
 C: ?WHItemsOut  
 D: ?SuppItemsIn  
 E: ?SuppItemsOut  
 F: ?WHItemsIn  
 G: ?WHLListOut  
 H: ?ShopListIn

A=B , C=D, E=F, G=H

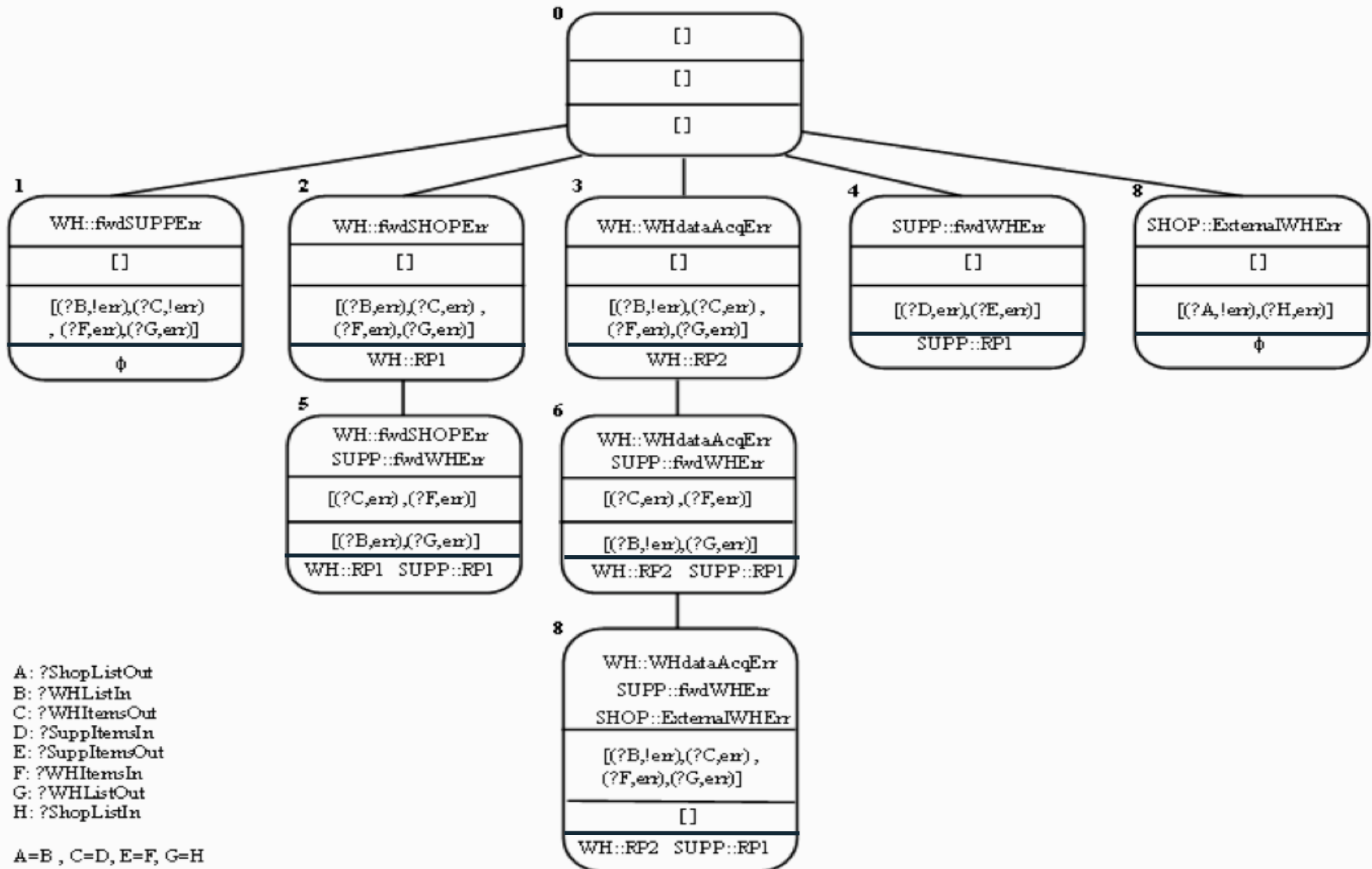
# Nouvel arbre de diag/ répar



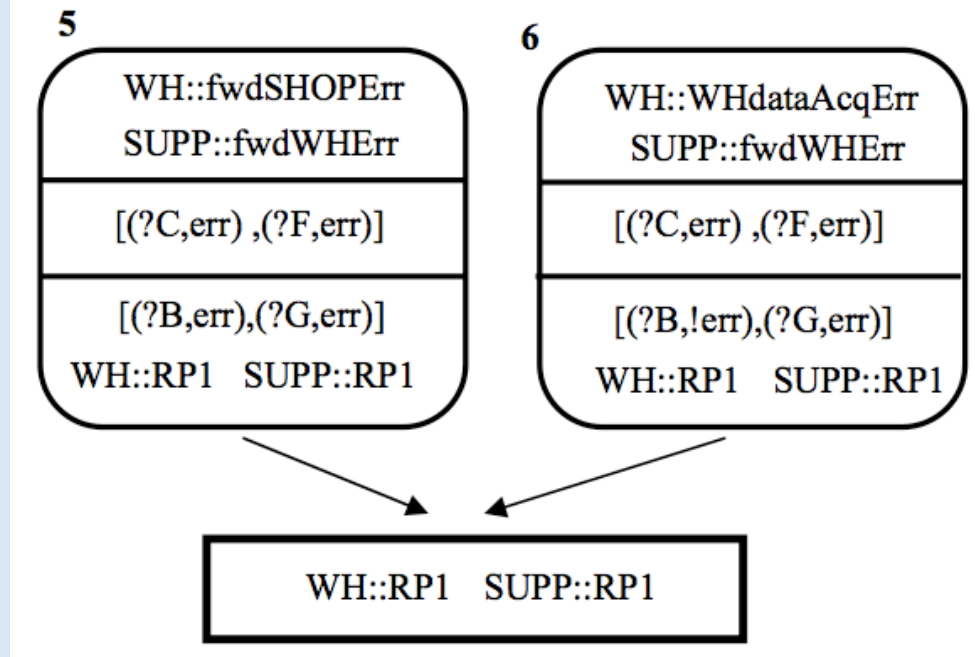
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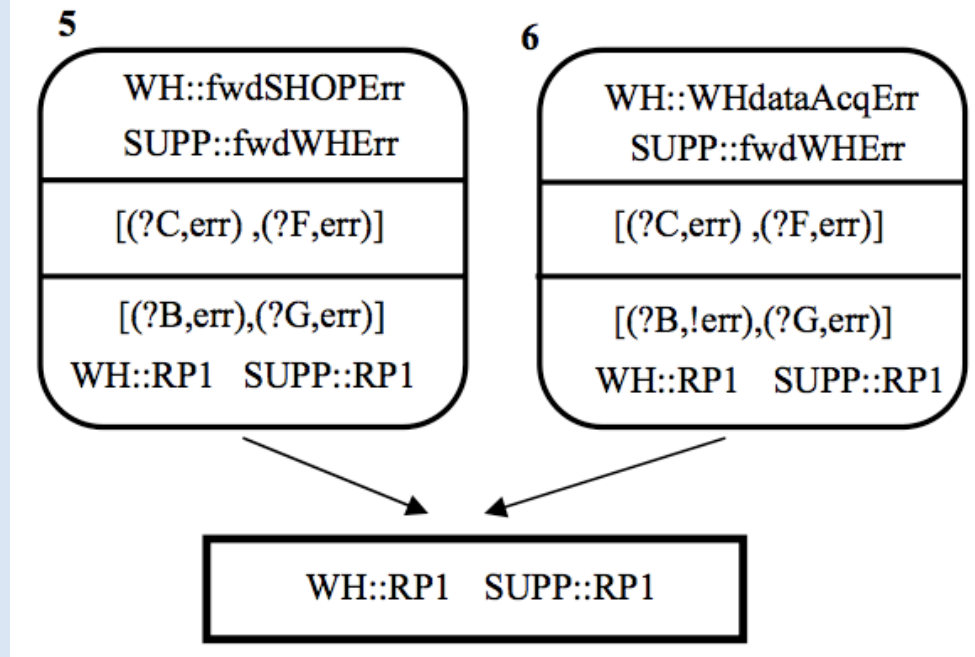


# Cas d'un plan commun





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- Plus complexe : cas où un plan RP1 « est inclus » dans RP2 (RP2 « subsume » RP1)
  - RP2 peut remplacer RP1 -> plan commun

# Extensions et perspectives

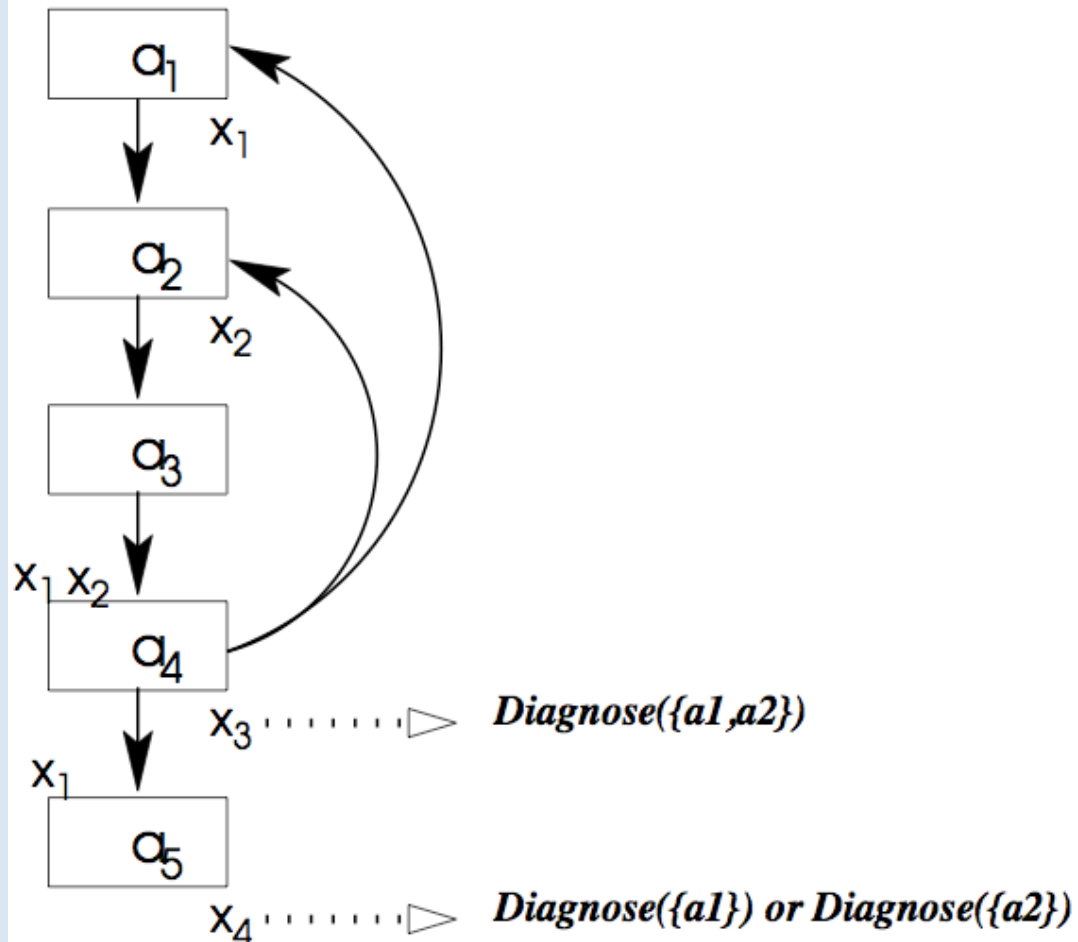


# Prise en compte des délais

- Hypothèse non confirmée mais plan urgent = plus compensable au-delà  
=> contraintes temporelles :

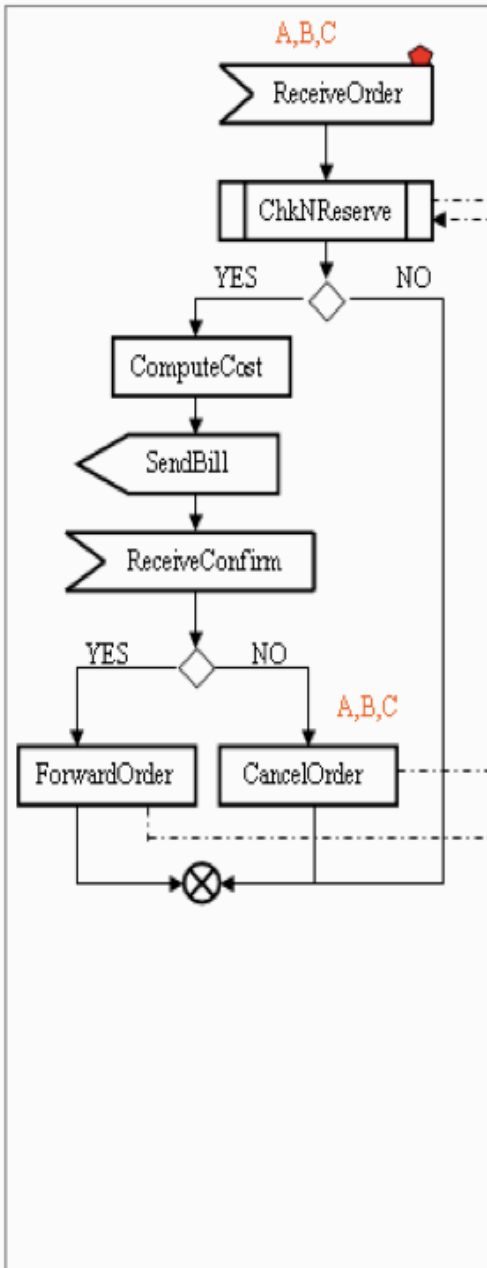
$$\mathbf{Diag-min-delay(F) \leq Repair-max-delay(F)}$$

# Cadre web-services distribués

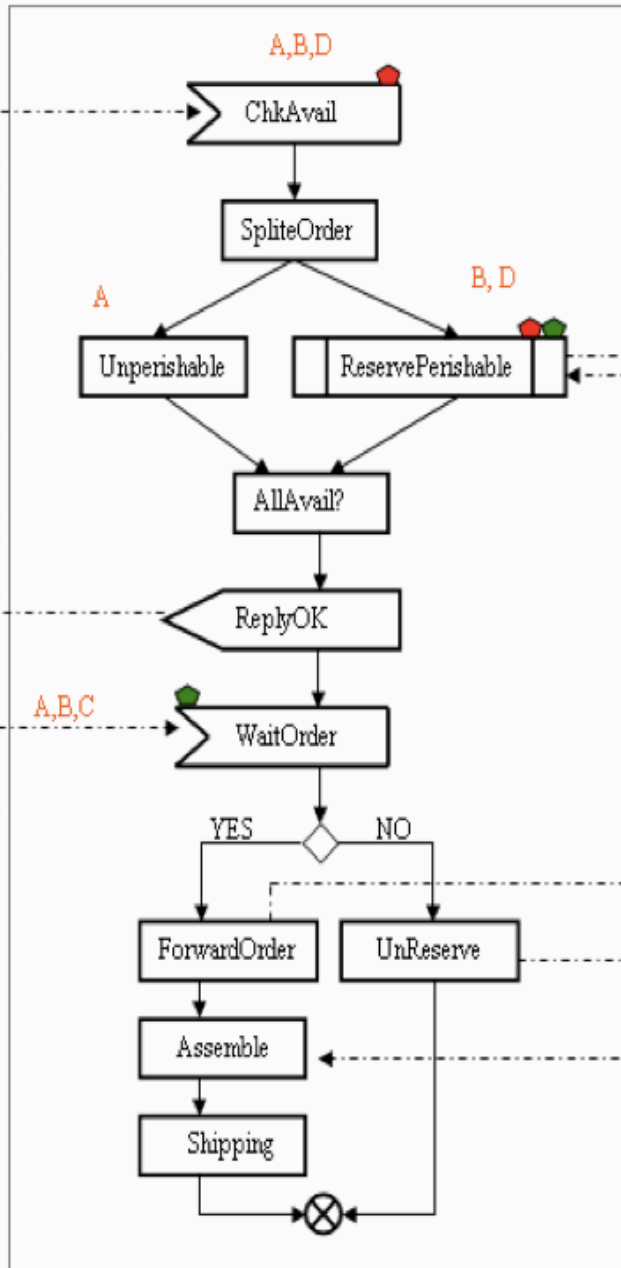


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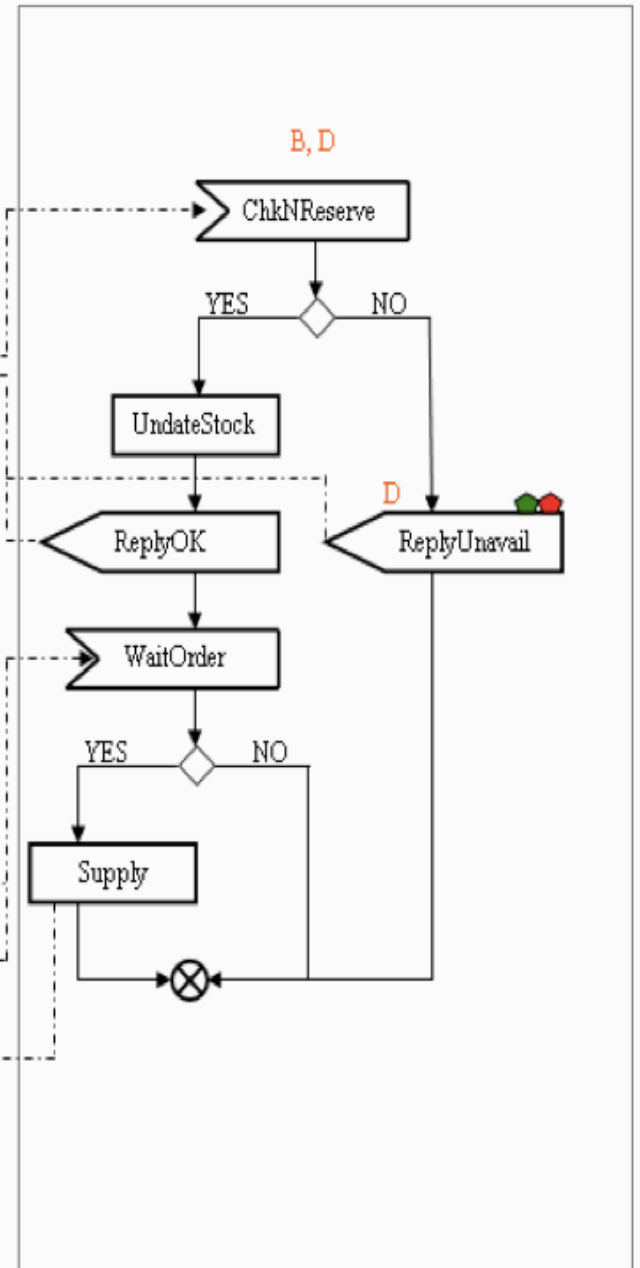
### SHOP



### WAREHOUSE



### SUPPLIER



# Cadre décisionnel plus général

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  - Transitions  $E =$  application d'un des  $r_k$  de  $R_j$

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  - $F = \{\text{ok}, f_1, \dots\} \Rightarrow$  indécision...
    - attendre ou appliquer quand même un plan potentiellement inutile...?

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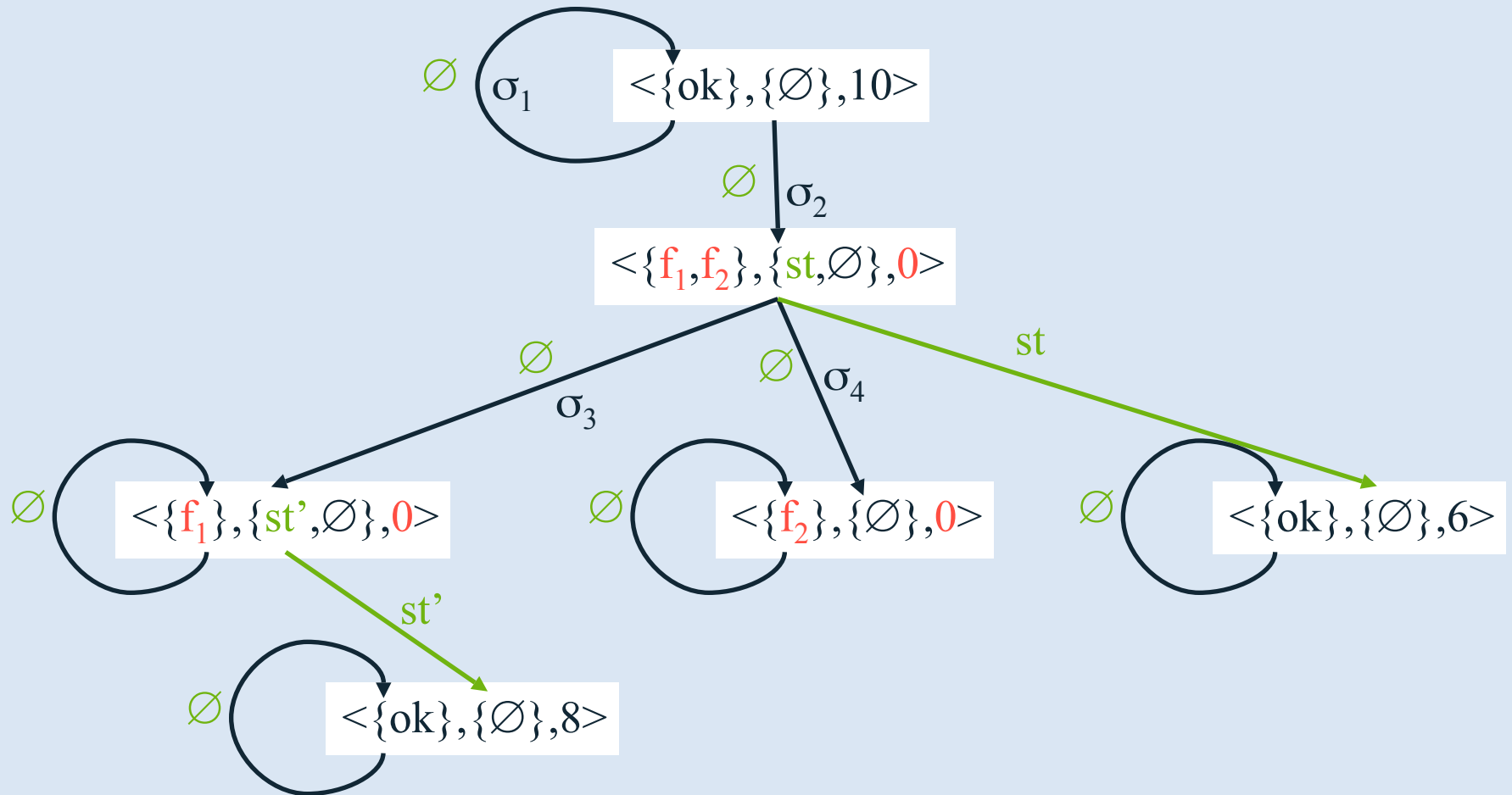
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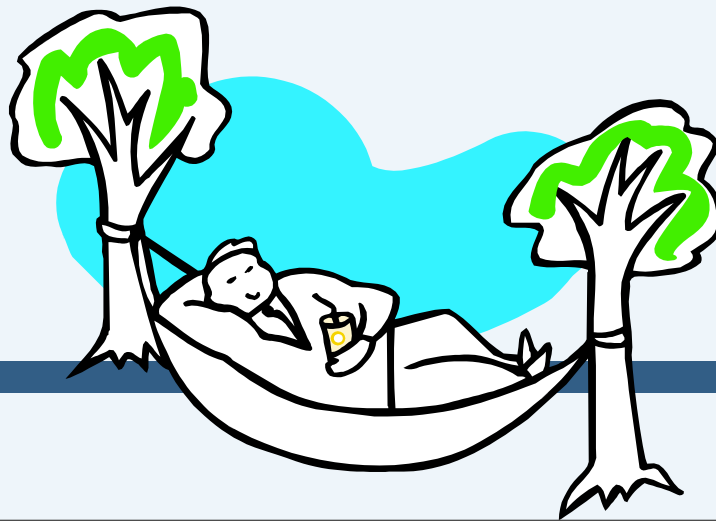
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  - etc
- Nécessite d'intégrer des concepts de planification / CSPs...
- Notions de qualité / optimisation...

# Processus décisionnel





**Merci !**



# Questions?

[thierry.vidal@enit.fr](mailto:thierry.vidal@enit.fr)

